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## Evolution of Materials Properties and the Space Plasma Environment through Interactions and the Dynamics of Spacecraft Charging

JR Dennison  
*Utah State University*

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*Toulouse, France  
27 June, 2013*

# ***Evolution of Materials Properties and the Space Plasma Environment through Interactions and the Dynamics of Spacecraft Charging***

**J.R. Dennison**  
*Materials Physics Group  
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Logan, Utah USA*



**Logan, Utah**

**Yellowstone, NP**



**Tetons, NP**



**Arches, NP**



**Grand Canyon, NP**



# Acknowledgements

## Support & Collaborations

**NASA**  
**Air Force Res. Lab**

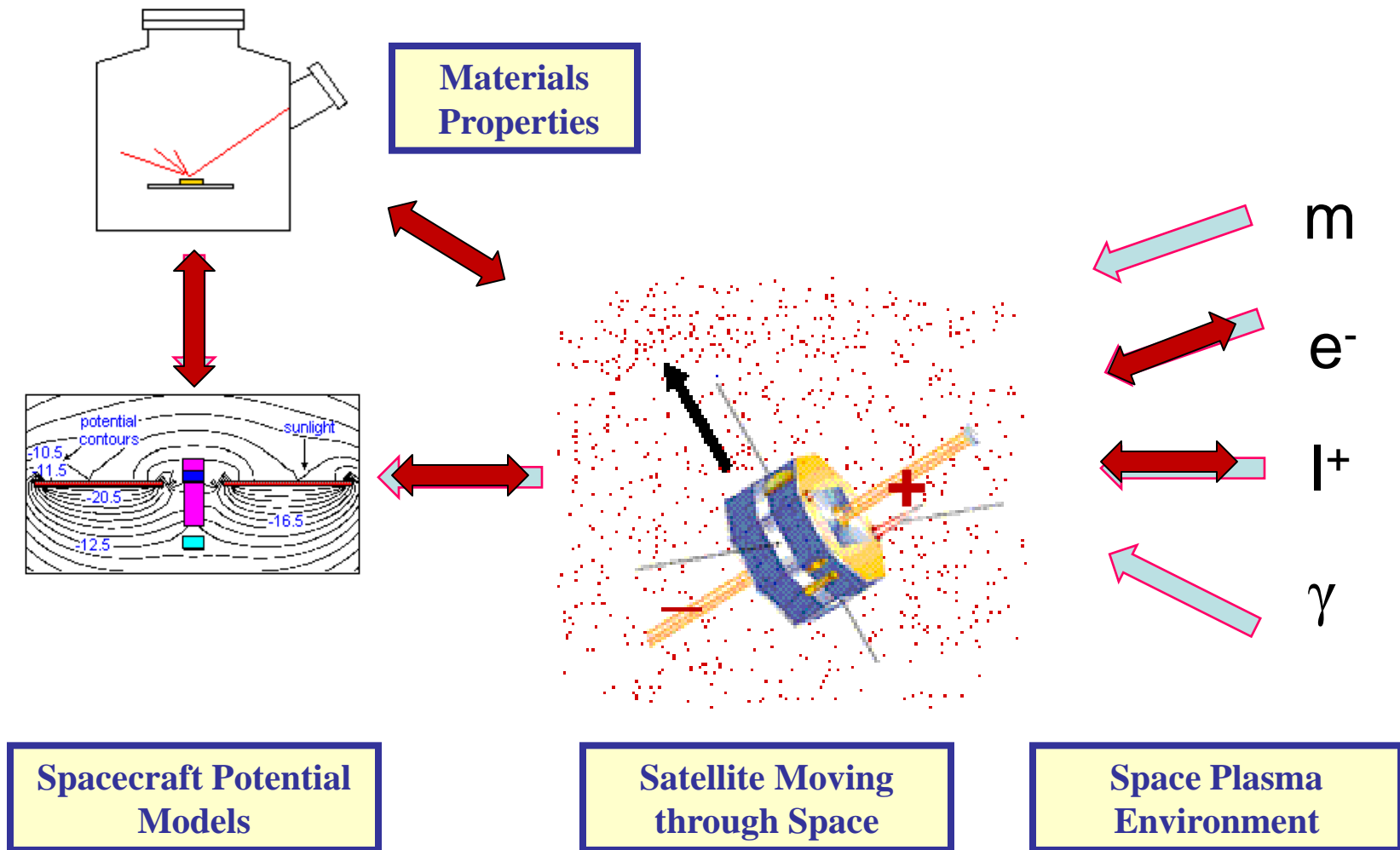
**ATK**  
**Boeing**  
**Ball Aerospace**  
**Johns Hopkins App.**  
**Phys. Lab**  
**Orbital**  
**USU Space Dynamics**  
**Lab**

**National Research**  
**Council**  
**SpaceMasters**  
**Program**



## USU Materials Physics Group

# A simplified approach to spacecraft charging modeling...



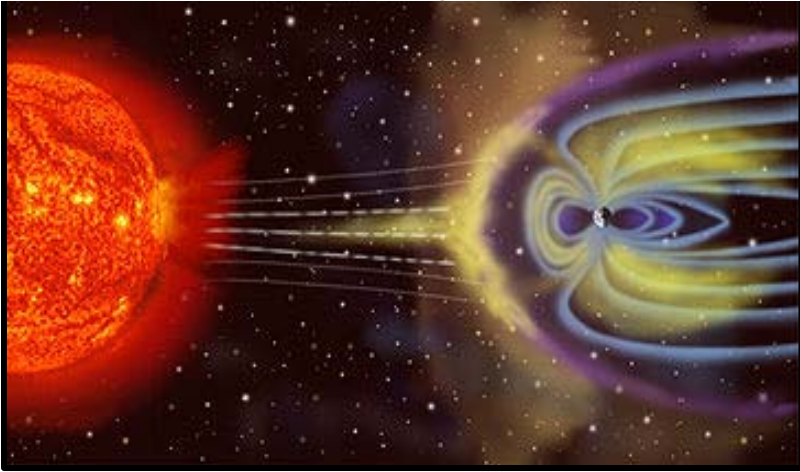
**This results in a complex dynamic interplay between space environment, satellite motion, and materials properties**

# The Space Environment

Dynamics of the space environment and satellite motion lead to dynamic spacecraft charging (min to decades)

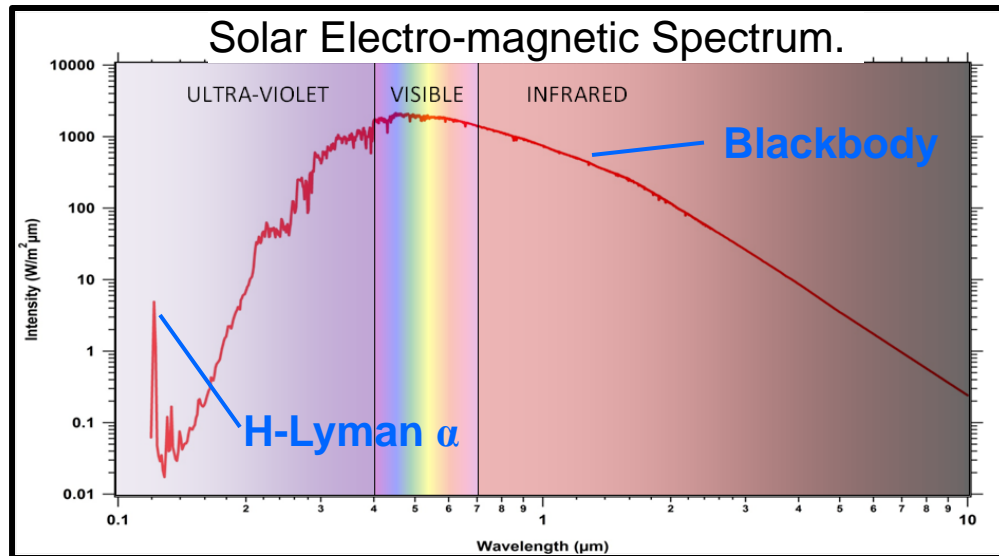
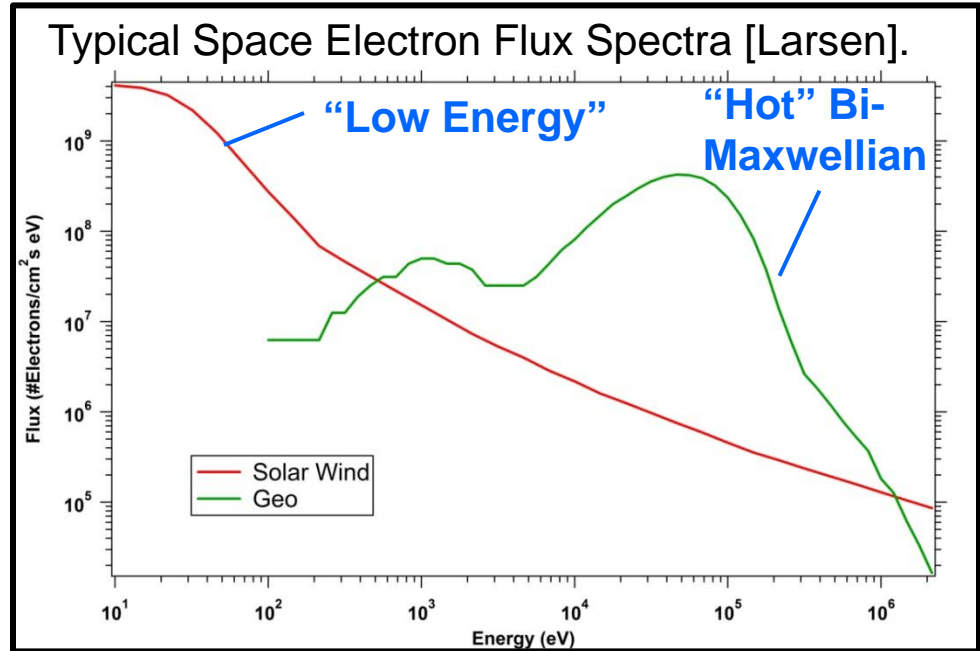
- Solar Flares, CME, Solar Cycle
- Orbital eclipse, Rotational eclipse

Solar wind and Earth's magne-to-sphere structure.



Incident fluxes of:

- Electrons,  $e^-$
- Ions,  $I^+$
- Photons,  $\gamma$
- Particles,  $m$



# What do you need to know about the materials properties?

**STATIC** Charging codes such as NASCAP-2K or SPENVIS and NUMIT2 or DICTAT require:

## Charge Accumulation

- Electron yields
- Ion yields
- Photoyields
- Luminescence

## Charge Transport

- Conductivity
- RIC
- Permittivity
- Electrostatic breakdown
- Penetration range

**ABSOLUTE** values as functions of materials species, flux, fluence, and energy.

Parameter	Value
[1] Relative dielectric constant; $\epsilon_r$ (Input as 1 for conductors)	1, NA
[2] Dielectric film thickness; d	0 m, NA
[3] Bulk conductivity; $\sigma_o$ (Input as -1 for conductors)	-1; $(4.26 \pm 0.04) \cdot 10^7 \text{ ohm}^{-1} \cdot \text{m}^{-1}$
[4] Effective mean atomic number $\langle Z_{\text{eff}} \rangle$	50.9 $\pm$ 0.5
[5] Maximum SE yield for electron impact; $\delta_{\text{max}}$	1.47 $\pm$ 0.01
[6] Primary electron energy for $\delta_{\text{max}}$ ; $E_{\text{max}}$	(0.569 $\pm$ 0.07) keV
[7] First coefficient for bi-exponential range law, $b_1$	1 Å, NA
[8] First power for bi-exponential range law, $n_1$	1.39 $\pm$ 0.02
[9] Second coefficient for bi-exponential range law, $b_2$	0 Å
[10] Second power for bi-exponential range law, $n_2$	0
[11] SE yield due to proton impact $\delta^H(1\text{keV})$	0.3364 $\pm$ 0.0003
[12] Incident proton energy for $\delta_{\text{max}}^H$ ; $E_{\text{max}}^H$	(1238 $\pm$ 30) keV
[13] Photoelectron yield, normally incident sunlight, $j_{\text{pho}}$	$(3.64 \pm 0.4) \cdot 10^{-5} \text{ A} \cdot \text{m}^{-2}$
[14] Surface resistivity; $\rho_s$ (Input as -1 for non-conductors)	-1 ohms-square <sup>-1</sup> , NA
[15] Maximum potential before discharge to space; $V_{\text{max}}$	10000 V, NA
[16] Maximum surface potential difference before dielectric breakdown discharge; $V_{\text{punch}}$	2000 V, NA
[17] Coefficient of radiation-induced conductivity, $\sigma_r$ ; k	0 ohms <sup>-1</sup> ·m <sup>-1</sup> , NA
[18] Power of radiation-induced conductivity, $\sigma_r$ ; $\Delta$	0, NA



**Specific focus of our work is the change in materials properties as a function of time, position, energy, and charge:**

- **Time (Aging),  $t$**
- **Position ( $xy,z$ )**
  - Charge distributions,  $Q(z,t)$
  - Surface voltage,  $\Delta V(xy,t)$
- **Energy**
  - Temperature,  $k_B T$
  - Deposited Energy (Dose),  $D$
  - Power Deposition (Dose) Rate,  $\dot{D}$
- **Charge**
  - Accumulated Charge,  $\Delta Q$  or  $\Delta V(Q, \Delta V, D, \dot{D}, t)$
  - Charge Profiles,  $Q(xy,z,t)$
  - Charge Rate (Current),  $\dot{Q}(xy,z,t)$
  - Conductivity Profiles,  $\sigma(z,t, Q, \dot{Q}, D, \dot{D})$
  - Electron emission ( $e^-$ ,  $I^+$ ,  $\Gamma$ )
- **Light emission**
  - Cathodoluminescence  $I_{\Gamma}(t, xy, Q, D, \dot{D})$
  - Arcing  $I_{\Gamma}(t, xy, Q, D, \dot{D})$ ,  $\dot{O}_{\Gamma}(t, xy, z, Q, D, \dot{D})$



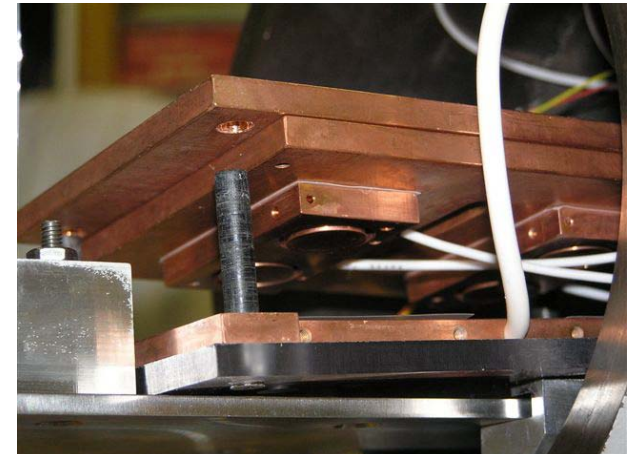
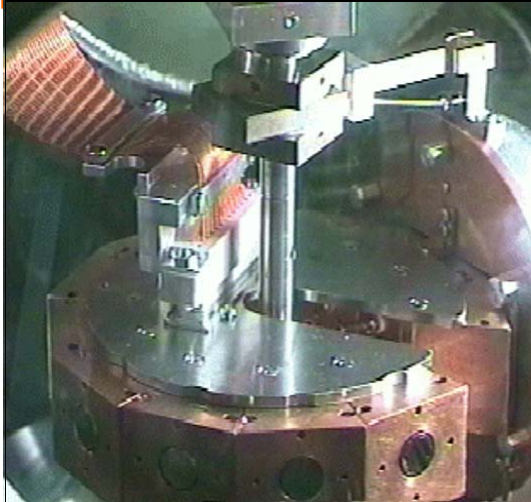
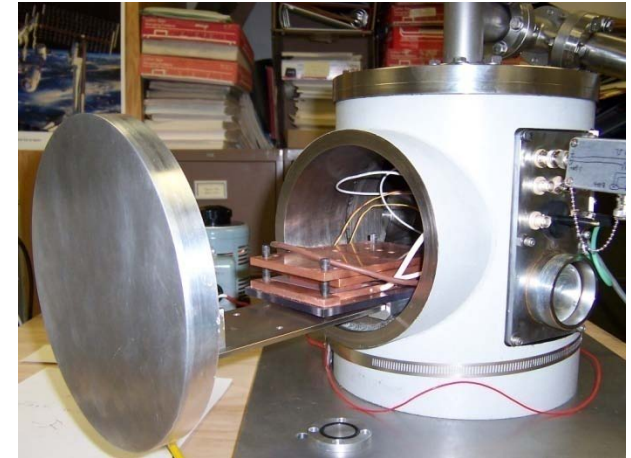
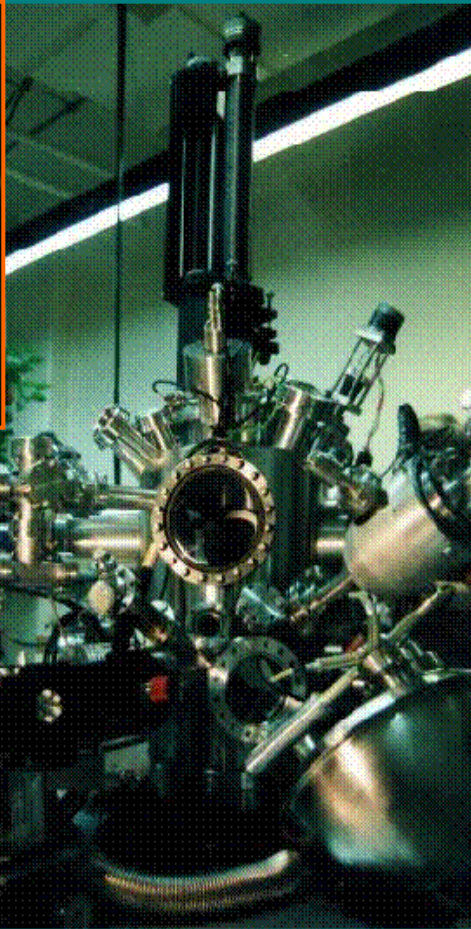
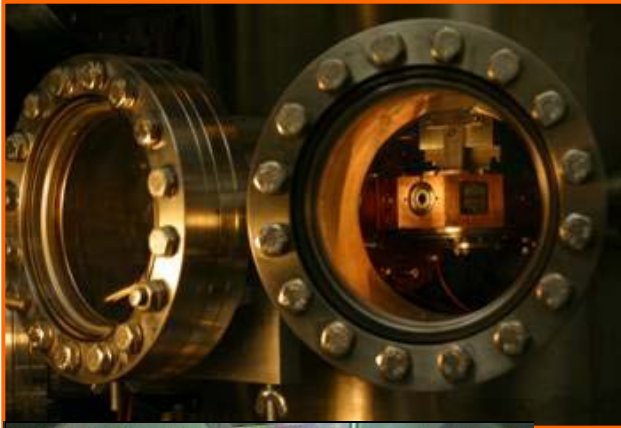
# Materials Physics Group Measurement Capabilities

Electron Emission  
Ion Yield

Photoyield  
Luminescence

Conductivity  
Electrostatic Discharge

Radiation Induced Cond.  
Radiation Damage

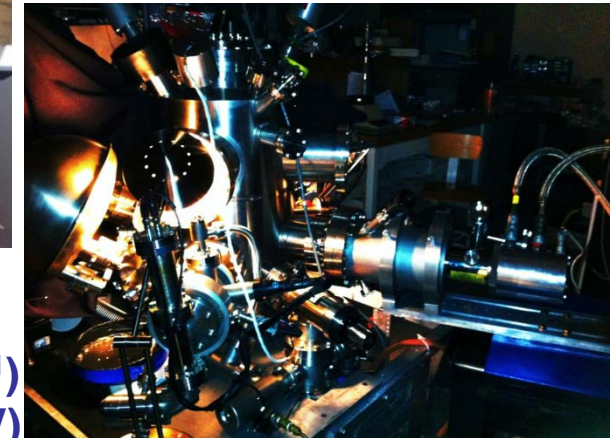
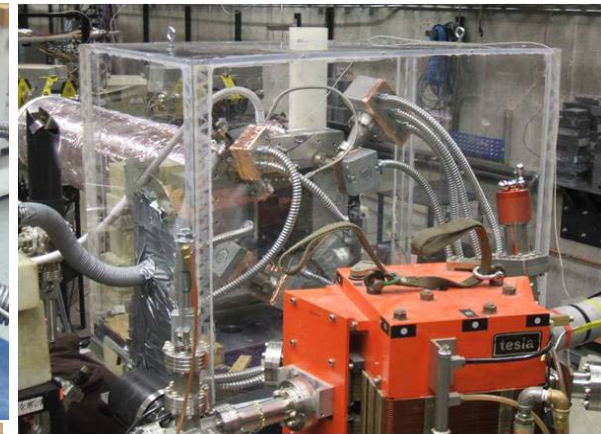
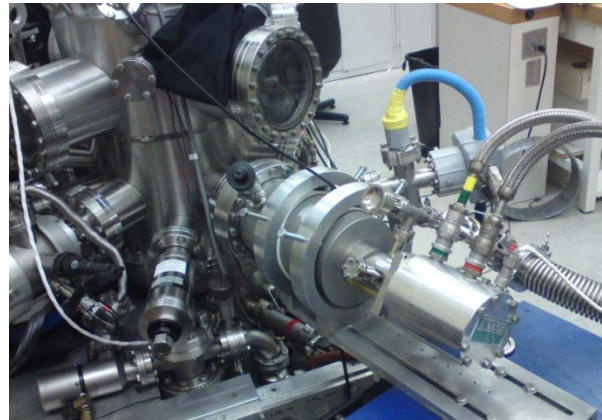


**Dependence on: Time, Pressure, Temperature, Charge, E-field, Dose, Dose Rate**

# USU Experimental Capabilities

## Absolute Yields

- SEE, BSE, emission spectra , (<20 eV to 30 keV)
- Angle resolved electron emission spectra
- Photoyield (~160 nm to 1200 nm)
- Ion yield (He, Ne, Ar, Kr, Xe; <100 eV to 5 keV)
- Cathodoluminescence (200 nm to 5000 nm)
- No-charge “Intrinsic” Yields
- T (<40 K to >400 K)



## Other Capabilities

- Conductivity ( $<10^{-22}$  [ohm-cm] $^{-1}$ )
- Surface Charge (<1 V to >15 kV)
- ESD (low T, long duration)
- Radiation Induced Conductivity (RIC)
- Evolution of internal charge distributions (PEA)
- Multilayers, contamination, surface modification
- Radiation damage
- Modeling
- Sample Characterization

# Instrumentation Overview

**Sadly (for an experimentalist)  
there is no time for this!**

**(Perhaps you will ask a question)**



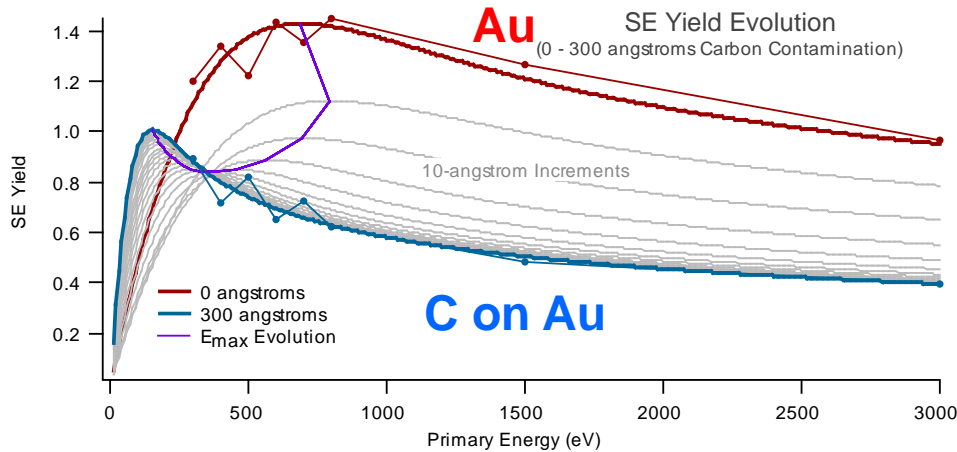
# Examples of Dynamical Change in Materials

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- I. Contamination and Oxidation**
- II. Reflectivity as a Feedback Mechanism**
- III. Radiation Effects (and  $t$ )**
- IV. Temperature Effects (and  $t$ )**
- V. Radiation and Temperature Effects**
- VI. Charge Accumulation Effects**
- VII. Multilayer/Nanocomposite Effects**

# Case I: Evolution of Contamination and Oxidation

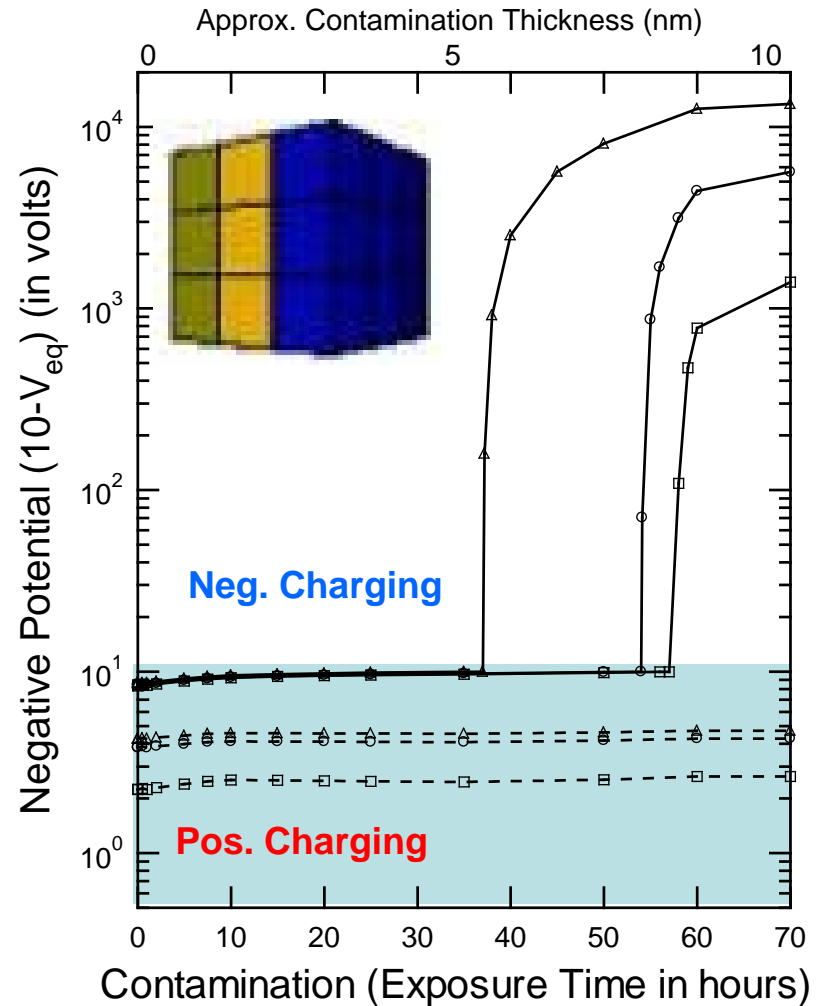
**Build up of C contamination on Au by long-duration, high current keV electron beam**  
**Common to SEM work**



Davies, Kite, and Chang

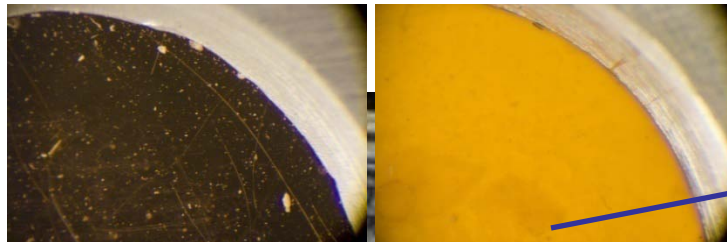
**“All spacecraft surfaces are eventually carbon...”**

**--C. Purvis (lead for NASCAP)**

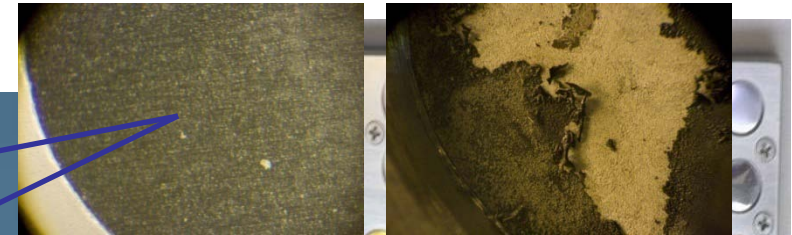


**Threshold differential charging at ~5 nm of contamination!!!**

# Case I: Evolution of Contamination and Oxidation



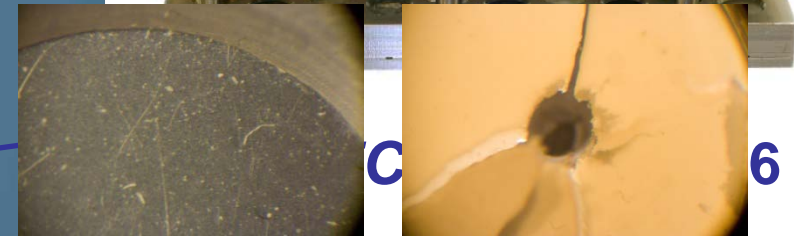
Before After  
**Kapton**  
AO and UV degradation  
(AO fluence standard)



Before After  
**Ag**  
AO degradation  
(AO fluence standard)



Before After  
**Black Kapton**  
Surface modified by AO, UV



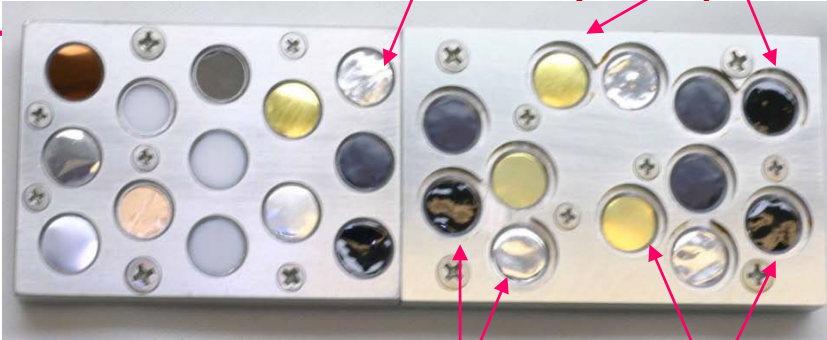
Before After  
**Al coated PET**  
Denison, Evans and Prebola,  
IEEE-TPS 2012.

**168 Sample with 18 mon exposure on ISS** **AO, UV and particle impact!**

Ram, wake and "layered" exposure to: AO, UV, vacuum,  $\Delta T$

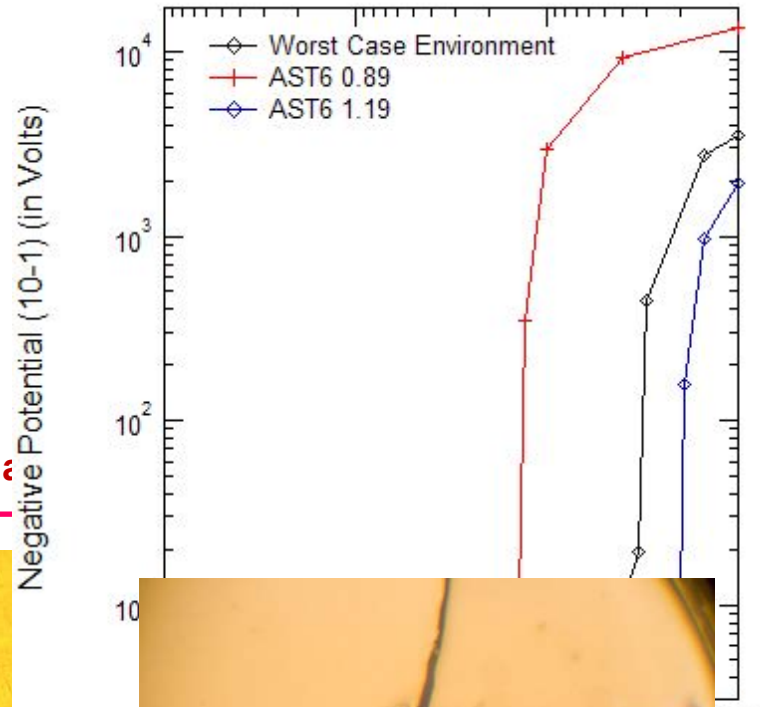
# Case II: Reflectivity as a Feedback Mechanism

Reflectivity changes with surface contamination, oxidation and roughness



+5 VDC      -15 VDC

4 samples held a constant potential to test charge enhanced contamination



Color Change Surfaces

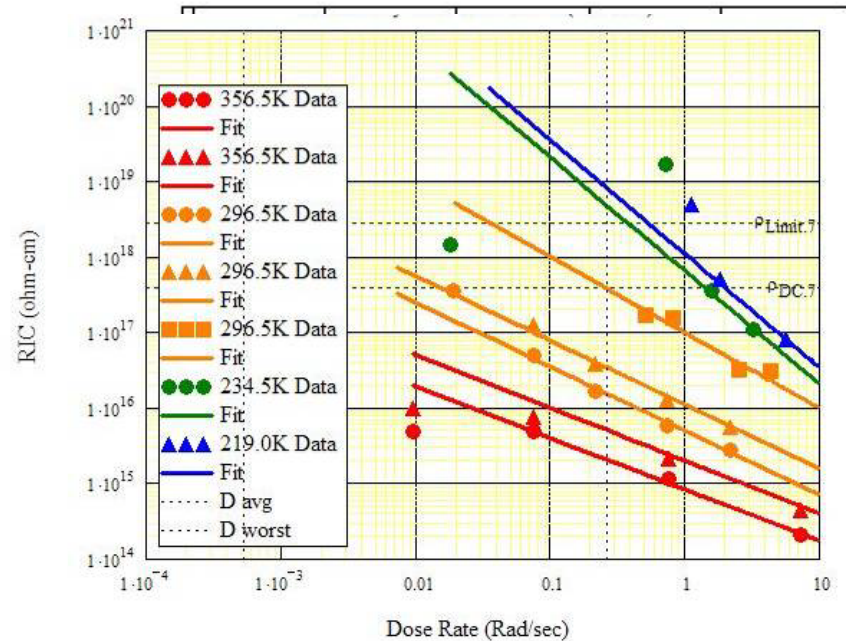
See Lai & Tautz, 2006 & Dennison 2007  
 Radiation Damage (Color Change) of PET

# Case III: Radiation Effects

Large Dosage ( $>10^8$  Rad)

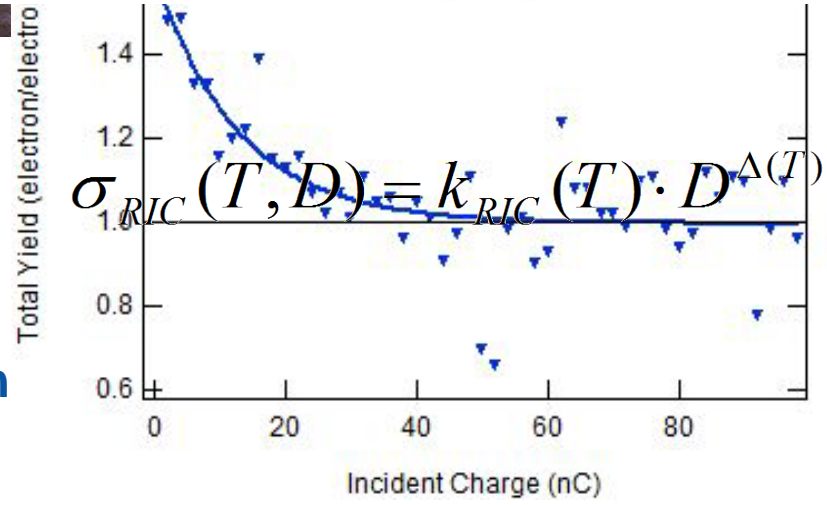
Medium Dosage ( $>10^6$  Rad)

Low Dose Rate ( $>10^0$  Rad/s)



Examples: RBSP, MMS, JUNO, JGO/JEO  
 Examples: JWST, SPP, Comm Sats.  
 Examples: RBSP, JUNO, JGO/JEO

Mechanical Modification of Electron  
 Radiation Induced Conductivity (RIC)  
 Loss of and functional properties damage  
 Temperature dependant trap filling and  
 Cause by trap breaking and trap creation  
 depletion



(Hoffmann & Sim)  
 (Gillespie & Sim)



## Strong T Dependence for Insulators

### Charge Accumulation

- **Electron Emission**
- **Charge Recombination**

### Charge Transport

- **Conductivity**
- **RIC**
- **Permittivity**
- **Electrostatic Discharge**

## Examples:

**IR and X-Ray Observatories**  
JWST, WISE, WMAP, Spitzer,  
Herschel, IRAS, MSX, ISO,  
COBE, Planck

***Outer Planetary Mission***  
Galileo, Juno, JEO/JGO.  
Cassini, Pioneer, Voyager,

***Inner Planetary Mission***  
SPM, Ulysses, Magellan,  
Mariner

# Case IV: Temperature Effects—A “Perfect Storm”

## JWST

### **Very Low Temperature**

Virtually all insulators go to infinite resistance—perfect charge integrators

### **Long Mission Lifetime (10-20 yr)**

No repairs

Very long integration times

### **Large Sunshield**

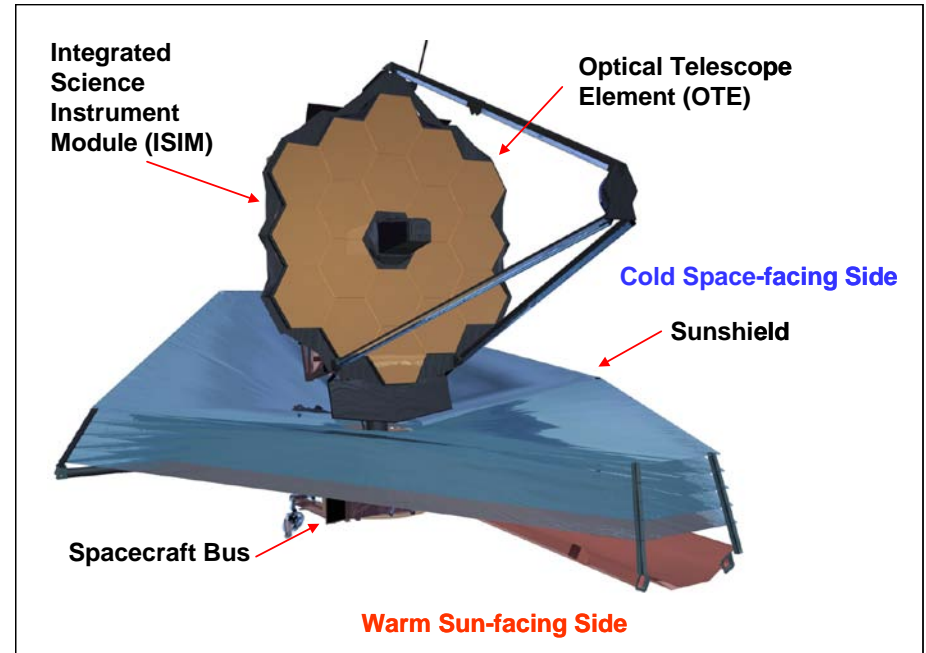
Large areas

Constant eclipse with no photoemission

### **Large Open Structure**

Large fluxes

Minimal shielding



### **Variation in Flux**

Large solar activity variations  
In and out of magnetotail

### **Complex, Sensitive Hardware**

Large sensitive optics

Complex, cold electronics

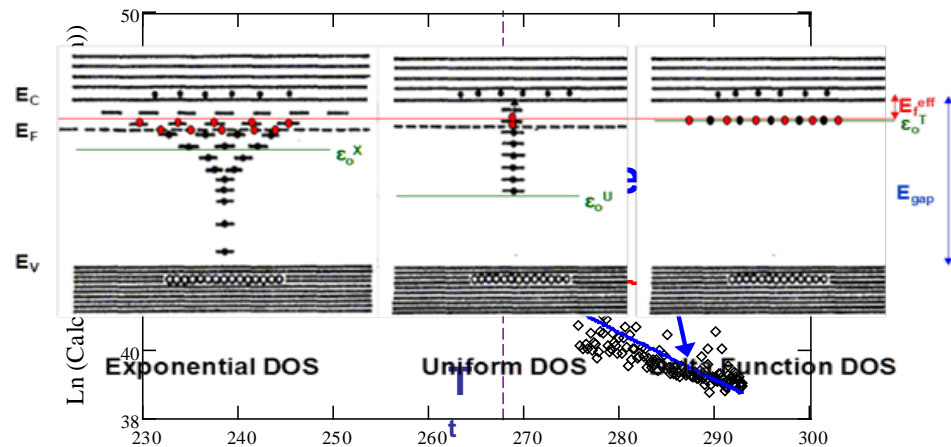
# Case IV: Temperature Effects in Charge Transport

## Strong T Dependence for Insulators

### Charge Transport

- Conductivity
- RIC

$$\sigma_{RIC}(T, D) = k_{RIC}(T) \cdot D^{\Delta(T)}$$



### Exponential Trap Density

$$\Delta(T) \rightarrow \frac{T_c}{T + T_c}$$

$$k(T) \rightarrow k_{RIC1} \left[ 2 \left( \frac{m_e k_B T}{2\pi \hbar^2} \right)^{3/2} \left( \frac{m_e^* m_h^*}{m_e m_e} \right)^{3/4} \right] \frac{T}{T + T_c}$$

### Uniform Trap Density

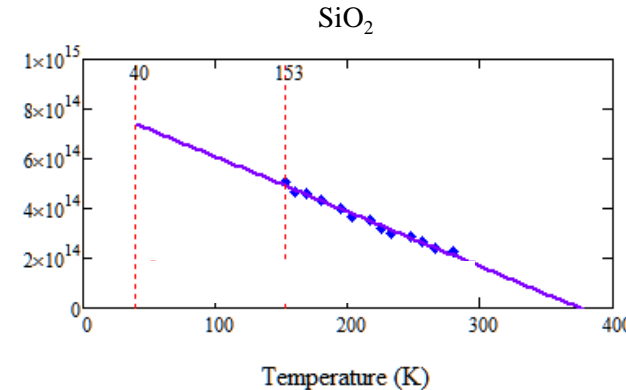
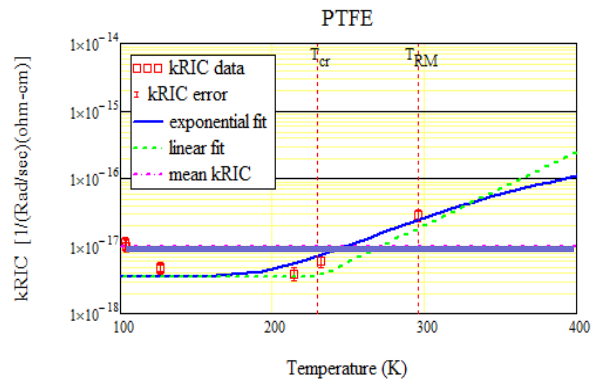
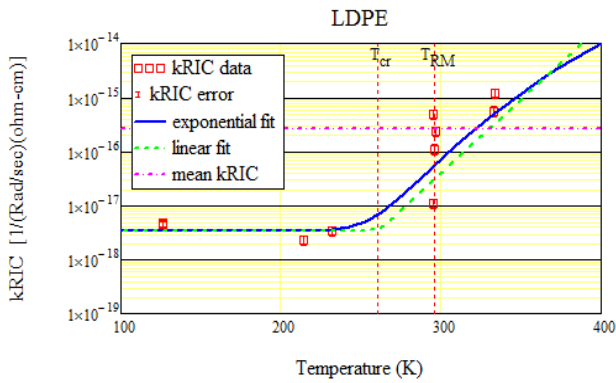
$$\Delta(T) \rightarrow 1$$

$$k(T) \rightarrow k_{RIC0}$$

### Delta Function Trap Density

$$\Delta(T) \rightarrow 1$$

$$k(T) \rightarrow k_{RIC0} T$$



# Case V: Temperature and Dose Effects

## Solar

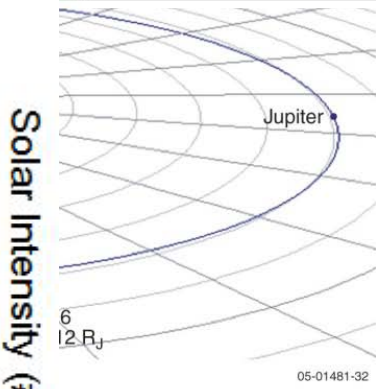
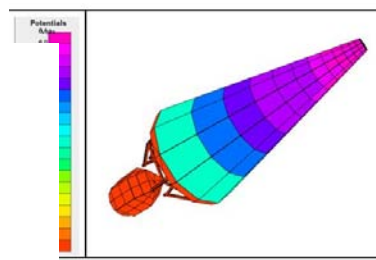
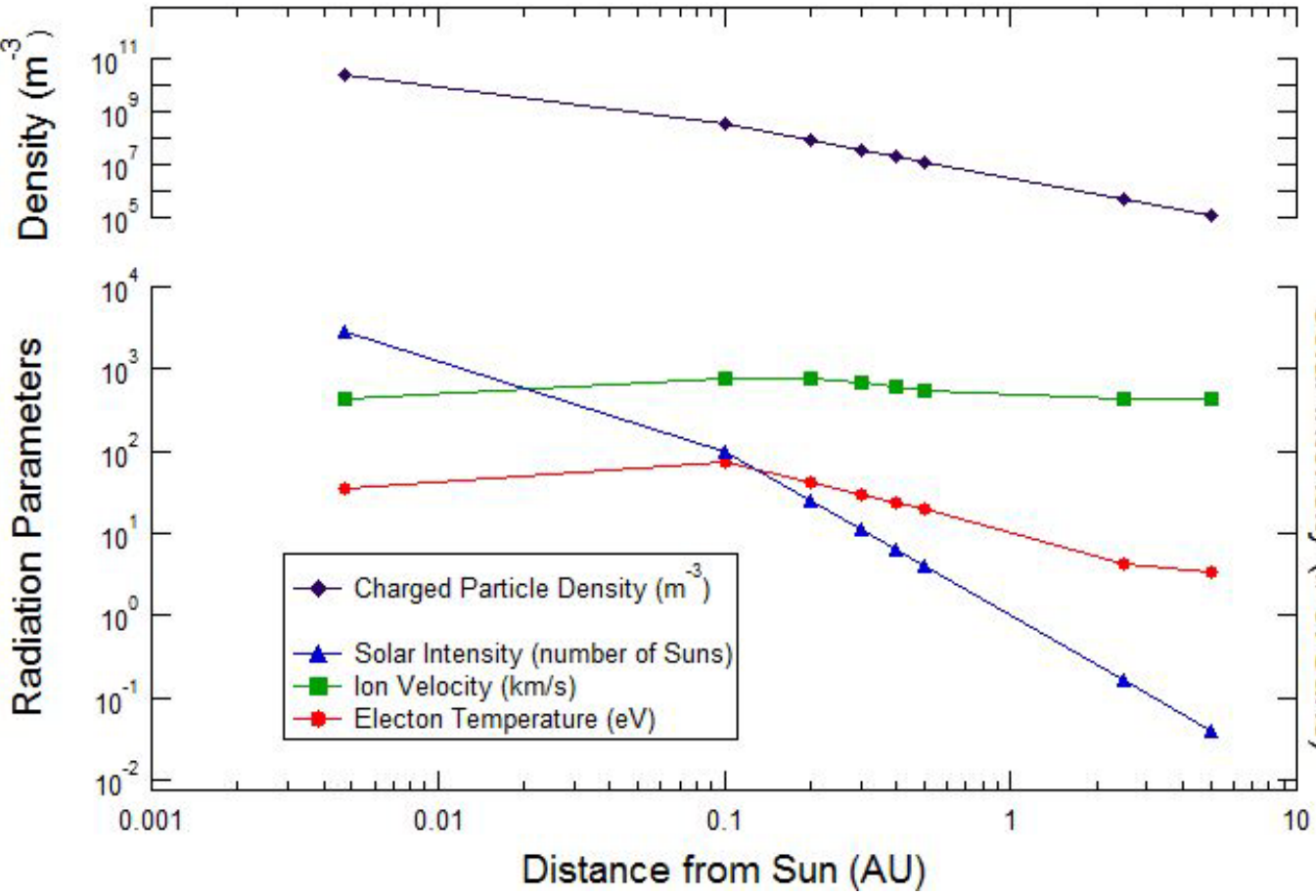
- Miss
- Mate
- Hoffma

- Evol
- Doneg
- Hoffma

(See

- Revi
- chargi

(See



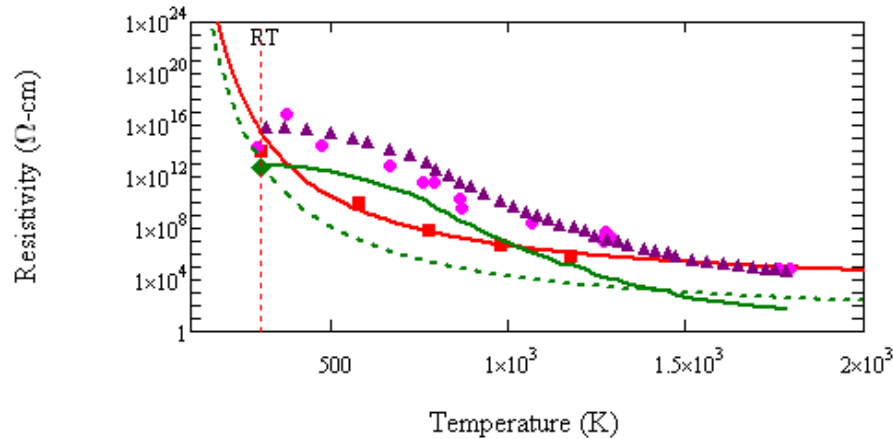
**Wide Orbital Range**  
 Earth to Jupiter Flyby  
 Solar Flyby to  $4 R_s$

**Wide Temperature Range**  
 $<100$  K to  $>1800$  K

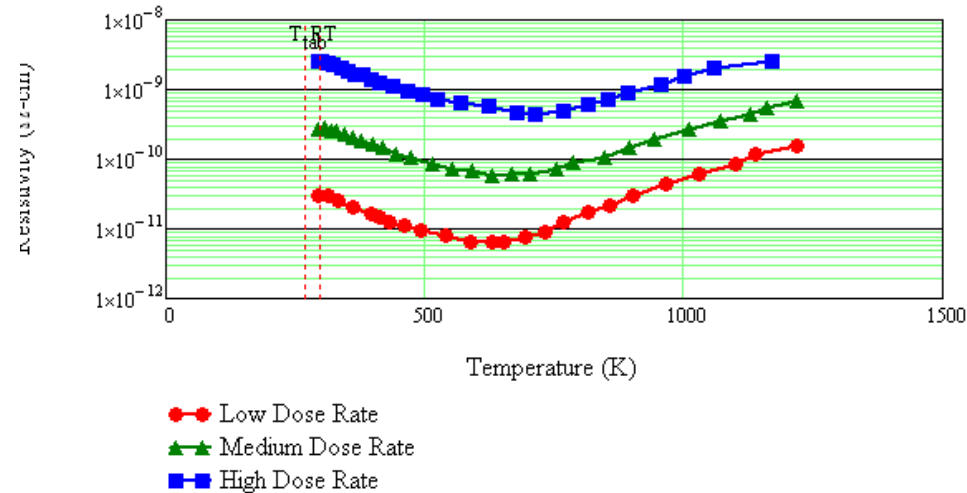
**Wide Dose Rate Range**  
 Five orders of magnitude variation!

# Case V: Temperature and Dose Effects

## Dark Conductivity vs T



## RIC vs T



## Dark Conductivity

$$\sigma_{DC}(T) = \sigma_o^{DC} e^{-E_o/k_B T}$$

## RIC

$$\sigma_{RIC}(T) = k_{RIC}(T) \dot{D} \Delta(T)$$

## Dielectric Constant

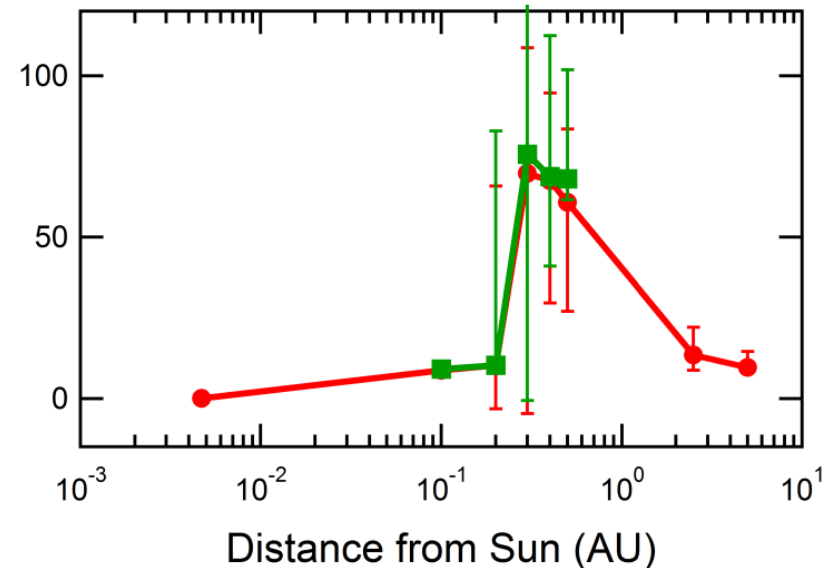
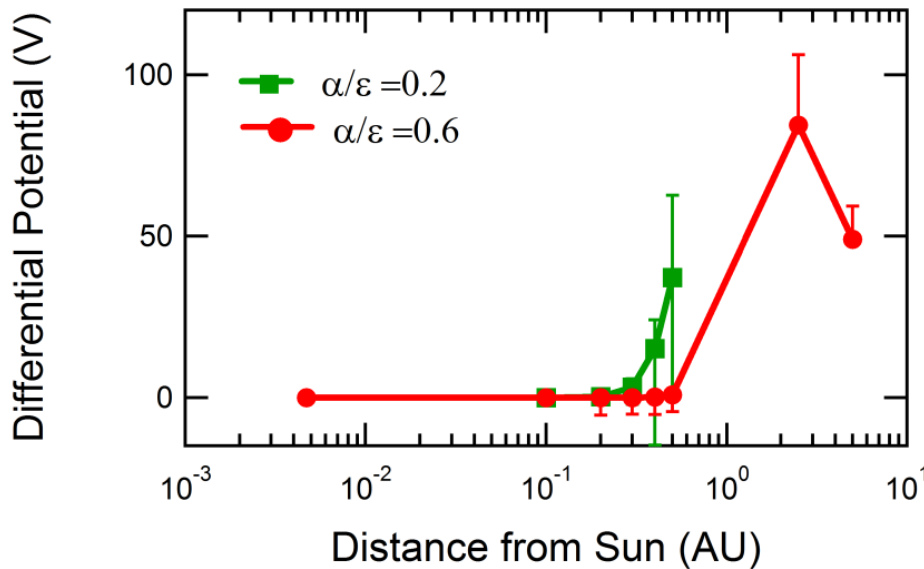
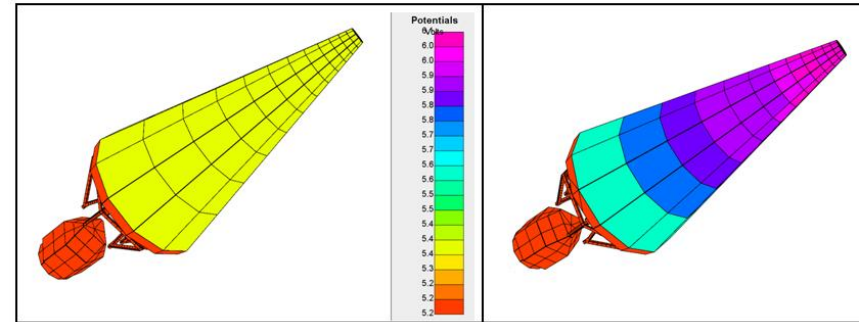
$$\epsilon_r(T) = \epsilon_{RT} + \Delta_\epsilon(T - 298 K)$$

## Electrostatic Breakdown

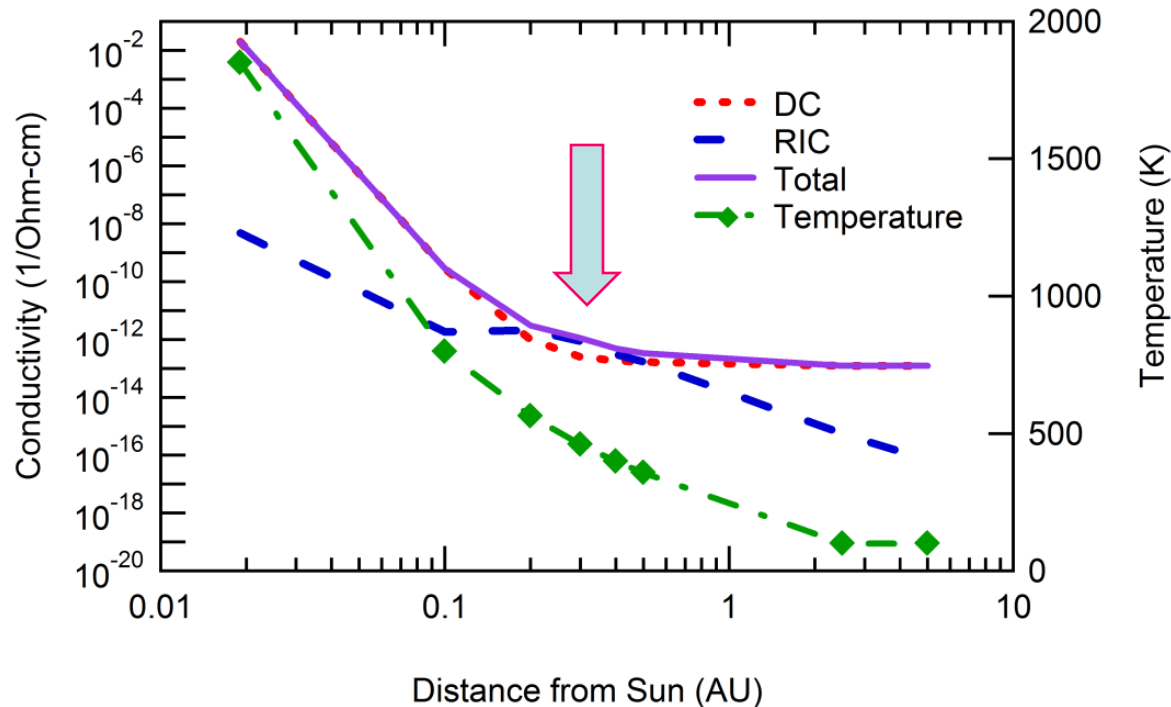
$$E_{ESD}(T) = E_{ESD}^{RT} e^{-\alpha_{ESD}(T-298 K)}$$

# Case V: Temperature and Dose Effects

Charging model using  
T and r dependant  
inputs at various orbits  
predict a peak in  
charging at ~0.3 to 2 AU



# Case V: Temperature and Dose Effects



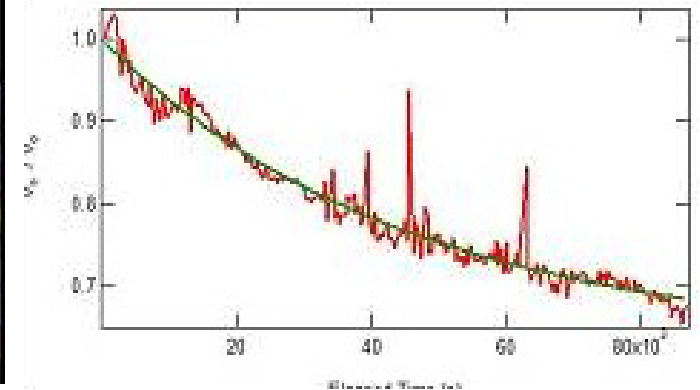
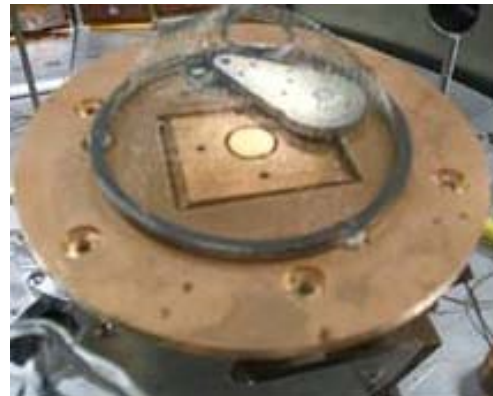
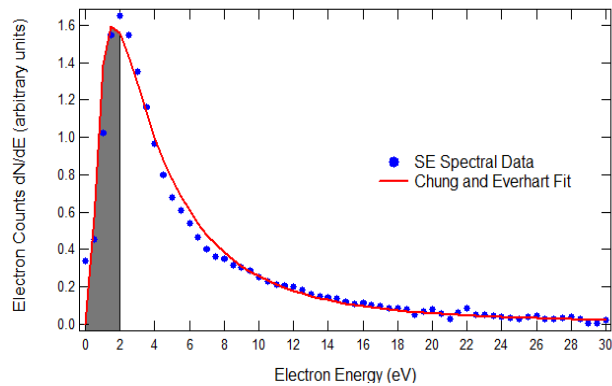
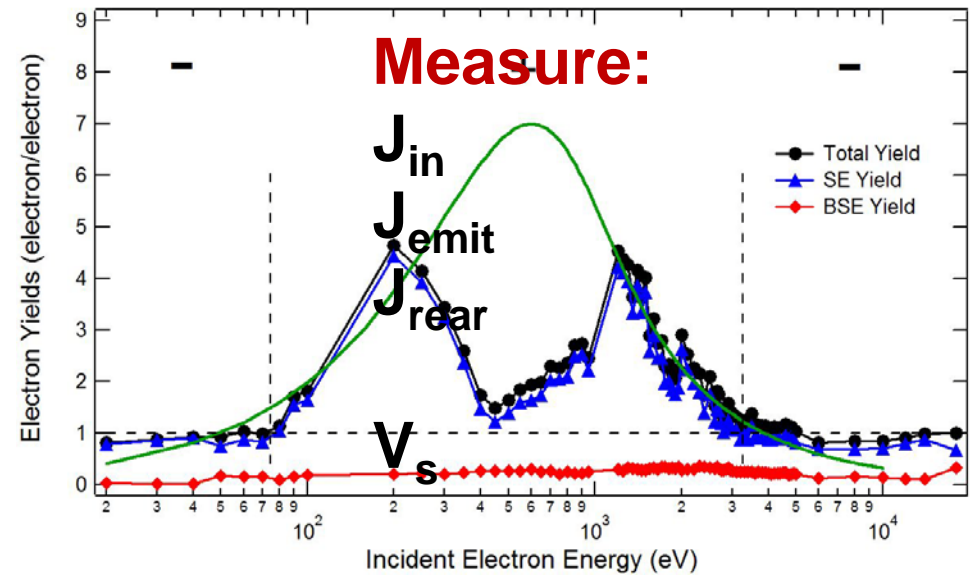
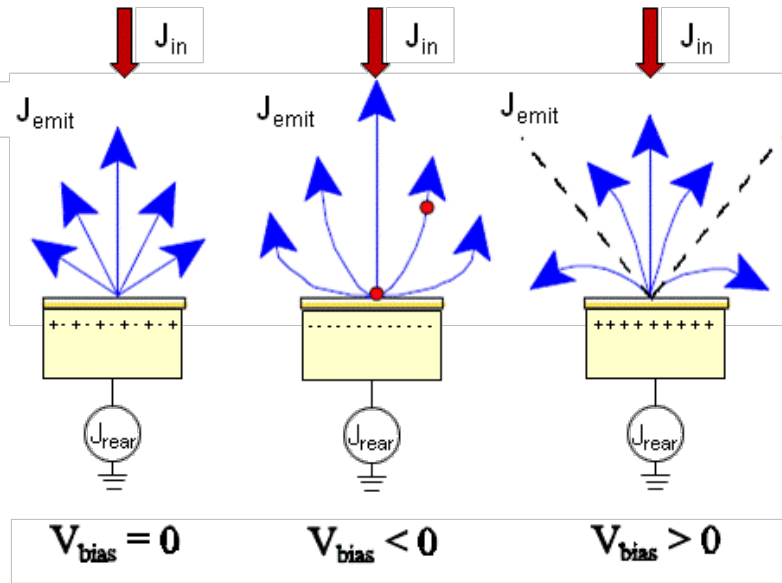
## General Trends

- Dose rate decreases as  $\sim r^2$*
- T decreases as  $\sim e^{-r}$*
- $\sigma_{DC}$  decreases as  $\sim e^{-1/T}$*
- $\sigma_{RIC}$  decreases as  $\sim e^{-1/T}$   
and decreases as  $\sim r^2$*

## A fascinating trade-off

- Charging increases from increased dose rate at closer orbits*
- Charge dissipation from T-dependant conductivity increases faster at closer orbits*

# Case VI: Charge Effects of Yields, Currents & Surface Voltage





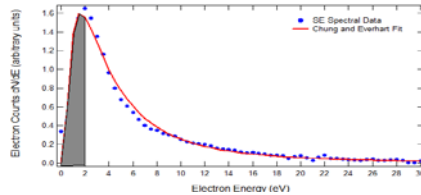
## Combining all the pieces

$$\frac{\delta_i(E_o, Q_i)}{\delta_o(E_o)} = \frac{eV_s(Q_i) \int_{0}^{50 \text{ eV}} \frac{dN(E; E_o)}{dE} dE}{\int_{0}^{50 \text{ eV}} \frac{dN(E; E_o)}{dE} dE}$$

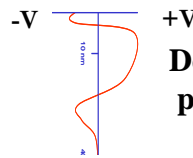
$$V_s = \frac{Q_o(\sigma - 1)d}{\epsilon_o \epsilon_r A_o} - \frac{\sigma Q_o \lambda_{SE} + Q_o R}{2\epsilon_o \epsilon_r A_o}$$

$$\sigma(E_o, Q) = \eta(E_o) + \delta(E_o, Q)$$

Physics based model for yield SE recapture as a function of incident fluence

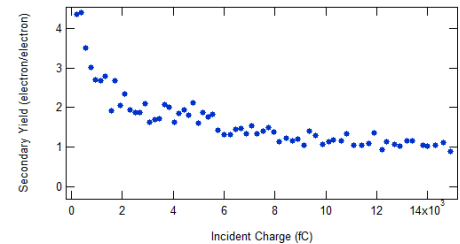


DDLm model for surface potential



Depth profile for net positive charging

Decay curve data



$$\delta(eV_s) = (\sigma_o(E_o) - 1) \cdot \left(1 - \frac{\lambda_{se}}{2 \cdot d}\right) \cdot \left( \frac{\frac{h(\epsilon_s)}{h(50 \cdot \text{eV})} - 1}{\frac{h(0)}{h(50 \cdot \text{eV})} - 1} \right) - \left[ \eta_o \cdot \left(1 - \frac{\lambda_{se}}{2 \cdot d}\right) - \left(1 + \frac{R}{2 \cdot d}\right) \right]$$

- Analytic solution for SE yield as  $V_s$  changes with  $J_{in}$
- Walden/Wintle model modified for electron beam injection gives:
  - $V_s$  in terms of  $J_{in}$
  - $J_{rear}$  in terms of  $J_{in}$

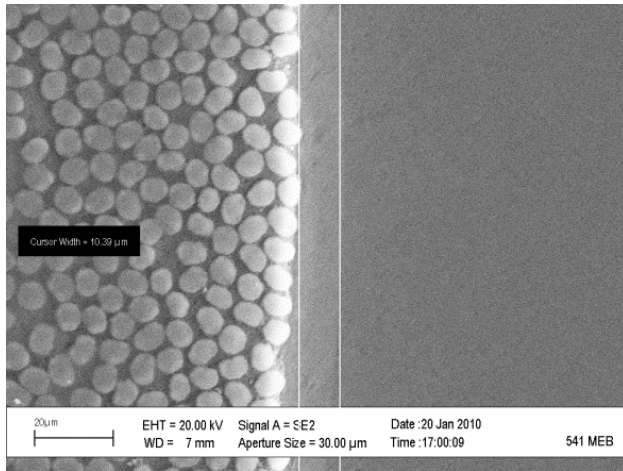
# Case VII: Multilayer/Nanocomposite Effects

## Length Scale

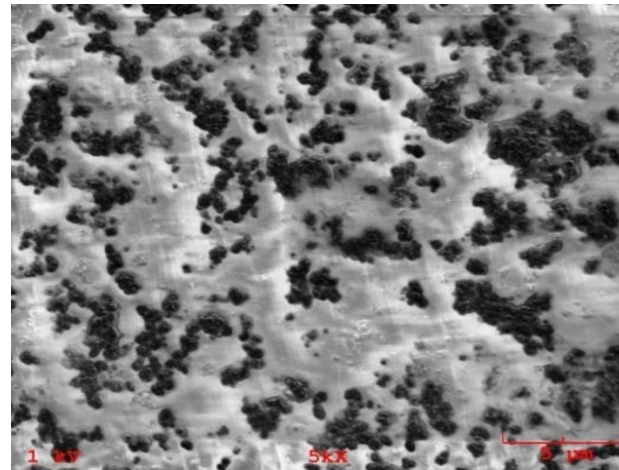
- Nanoscale structure of materials
- Electron penetration depth
- SE escape depth

## Time Scales

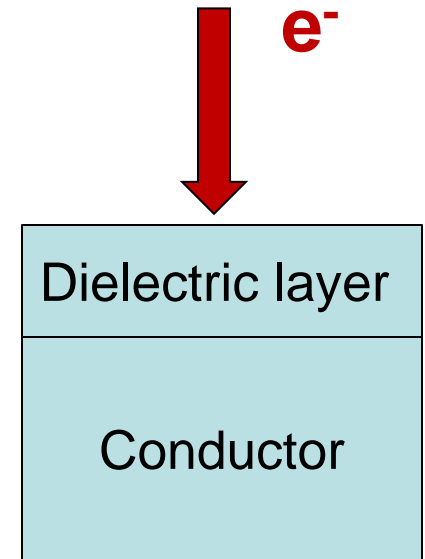
- Deposition times
- Dissipation times
- Mission duration



**C-fiber composite with thin ~1-10 μm resin surface layer**



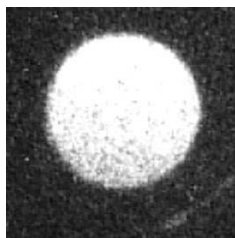
**Black Kapton™ (C-loaded PI)**



**Thin ~100 nm disordered SiO<sub>2</sub> dielectric coating on metallic reflector**

# Diversity of Emission Phenomena in Black Kapton

Ball Black Kapton	22 keV	110 or 4100 $\mu\text{W}/\text{cm}^2$
Runs 131 and 131A	135 K	5 or 188 $\text{nA}/\text{cm}^2$



## Surface Glow

Relatively low intensity  
Always present over full surface when e-beam on  
May decay slowly with time



## Edge Glow

Similar to Surface Glow, but present only at sample edge

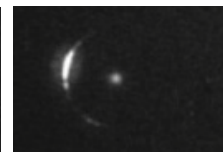


1

2

## "Flare"

2-20x glow intensity  
Abrupt onset  
2-10 min decay time

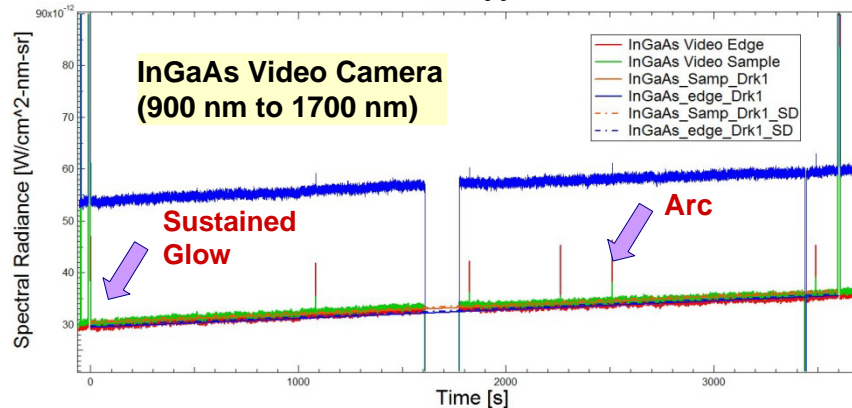
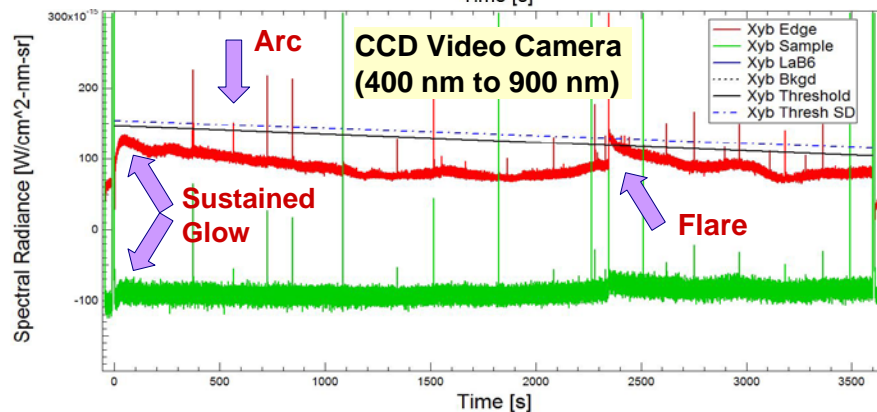
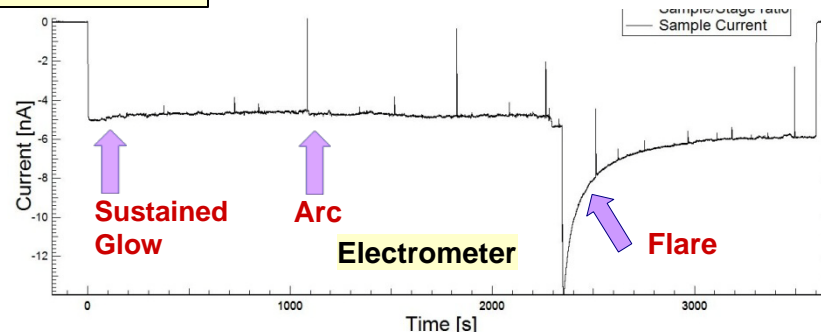


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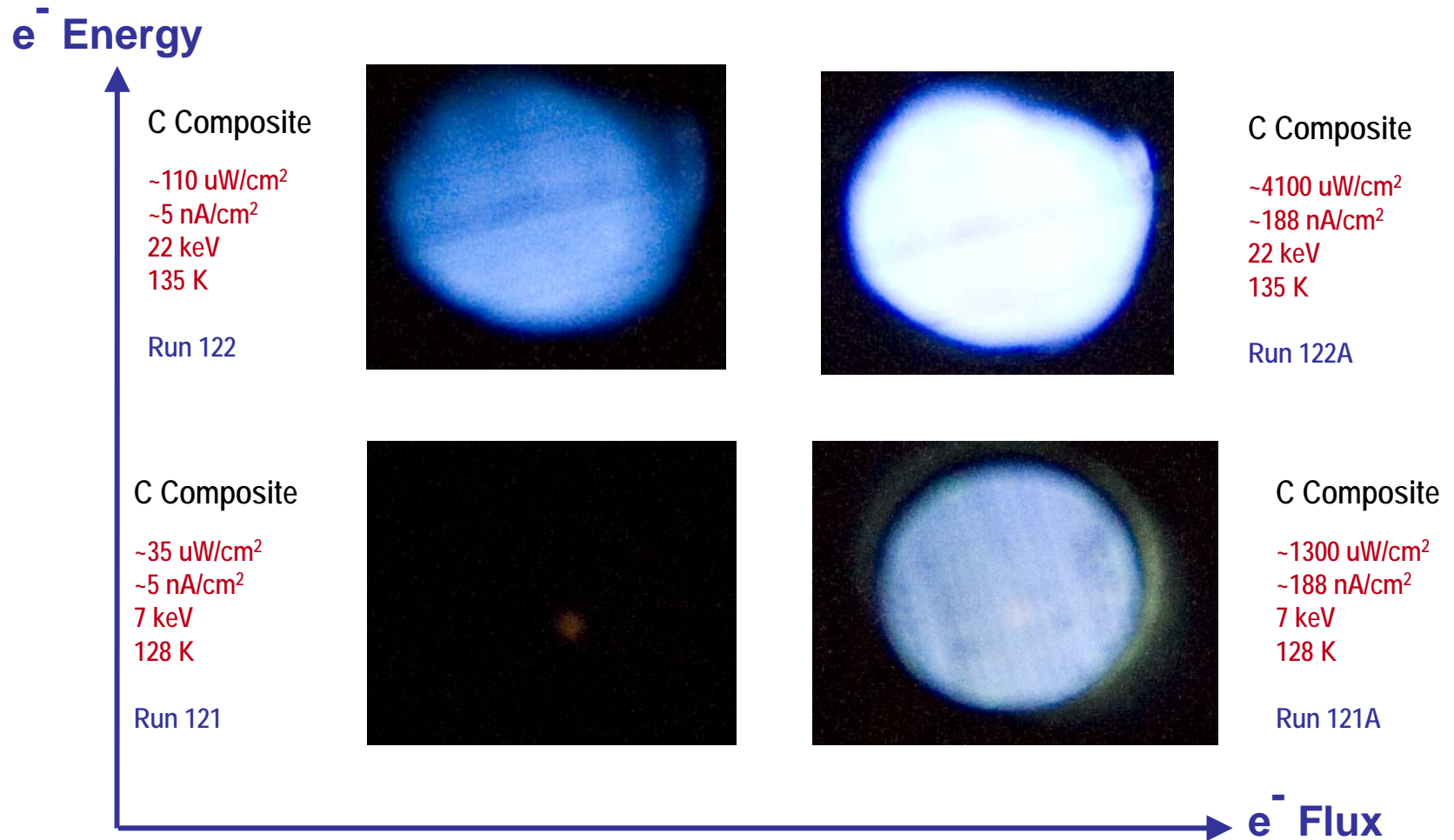
4

## Arc

Relatively very high intensity  
10-1000X glow intensity  
Very rapid <1 us to 1 s



# Glow Increases with Increasing Flux, Energy and Power



For C-fiber/resin composite Surface Glow, Edge Glow, and Arcing Frequency are all found to increase with:

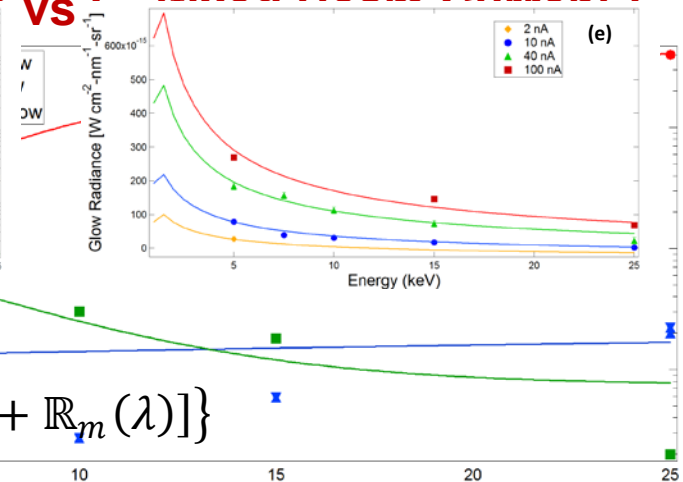
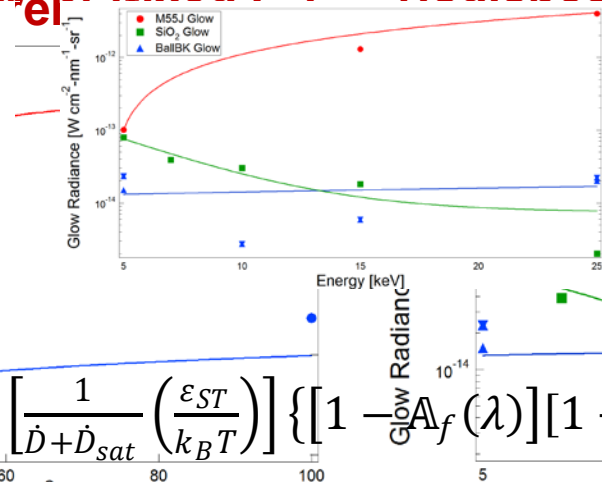
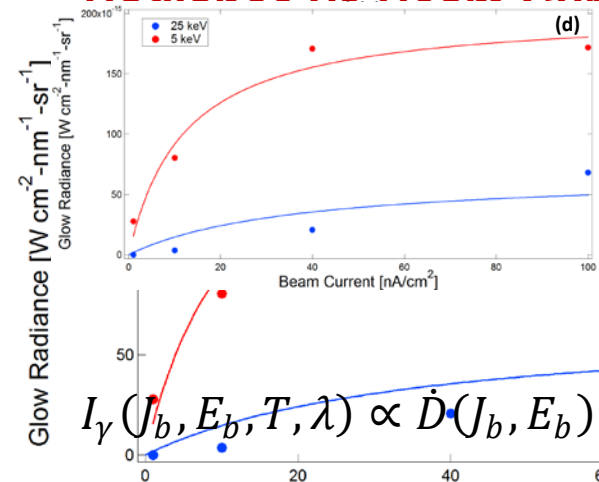
- increasing incident electron flux and energy
- decreasing T

# Thickness Dependant Model for Luminescence

Radiance vs Beam Current (fixed  $E_b$ )

Radiance vs  $E_b$  (fixed Beam Current)

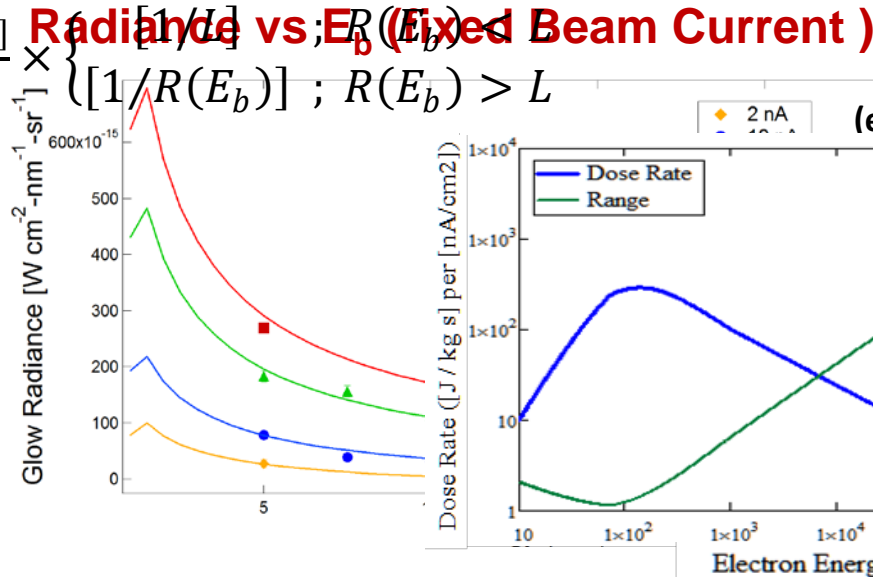
Radiance vs  $E_b$  (fixed Beam Current)



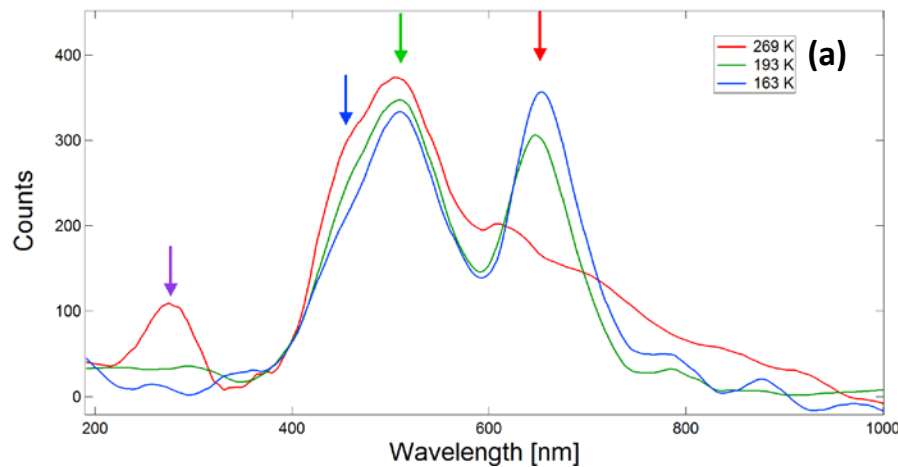
$$I_Y(J_b, E_b, T, \lambda) \propto \dot{D}(J_b, E_b) \left[ \frac{1}{\dot{D} + \dot{D}_{sat}} \left( \frac{\epsilon_{ST}}{k_B T} \right) \right] \left\{ \left[ 1 - \frac{1}{R(E_b)} \right] \left[ 1 + R_m(\lambda) \right] \right\}$$

where dose rate  $\dot{D}$  (absorbed power per unit mass) is given by

$$\dot{D}(J_b, E_b) = \frac{E_b J_b [1 - \eta(E_b)]}{q_e \rho_m} \times \begin{cases} [1/L] & R(E_b) < L \\ [1/R(E_b)] & R(E_b) > L \end{cases}$$

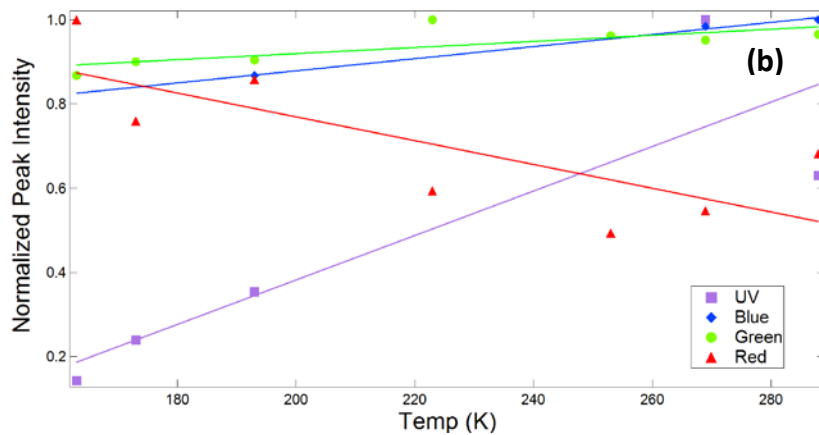


# Measured Cathodoluminescence Spectra for Fused Silica



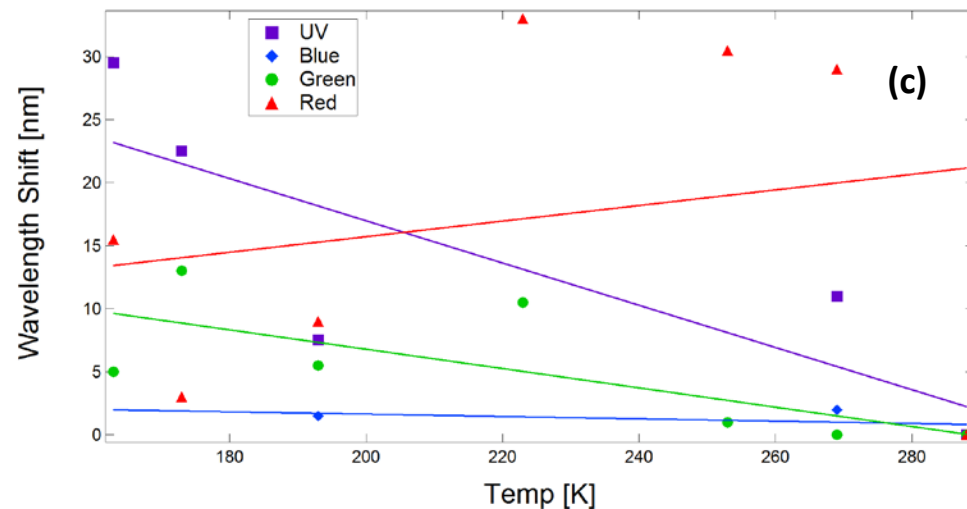
**Spectra vs T**

**Four peaks evident**



**Peak Intensity vs T**

**Red decreases with increasing T**  
**Others increases with increasing T**

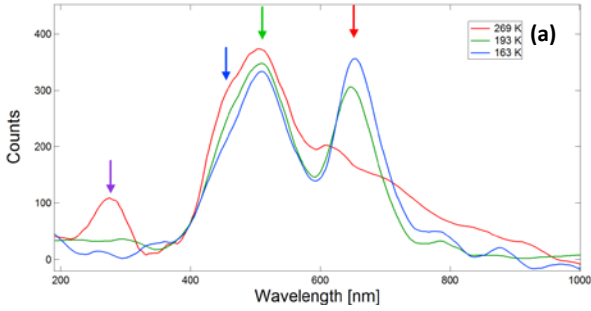


**Wavelength shift vs T**

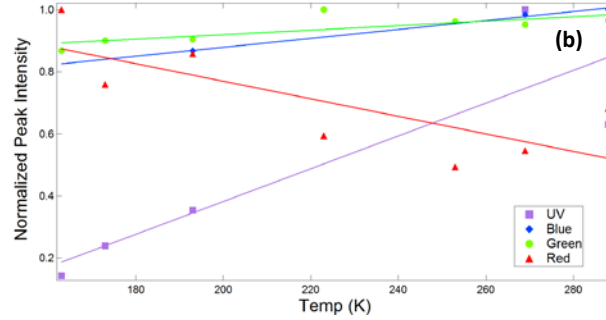
**Red increases with increasing T**  
**Purple decreases with increasing T**

# Model for Luminescence Intensity in Fused Silica

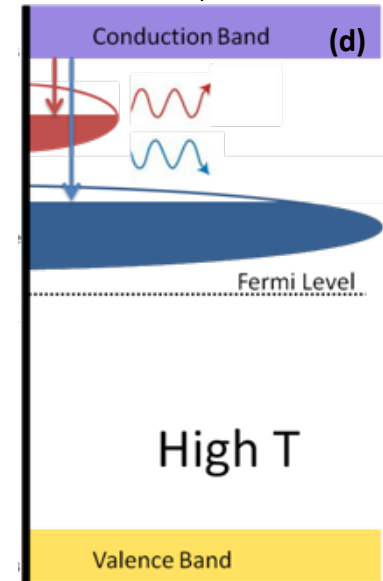
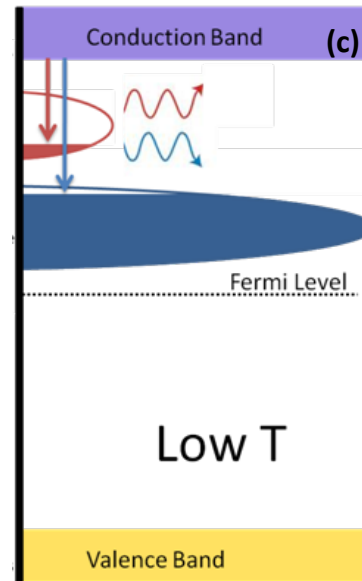
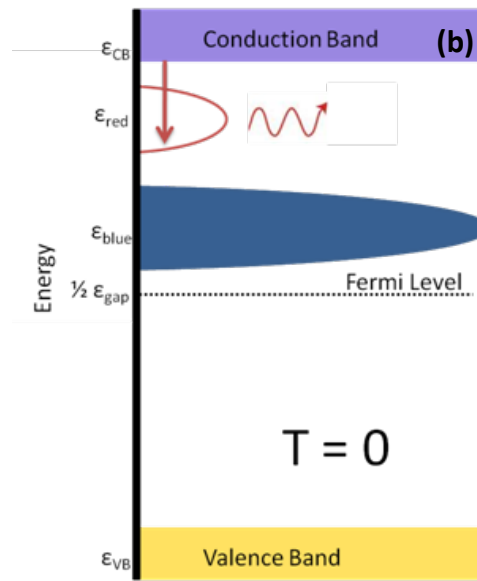
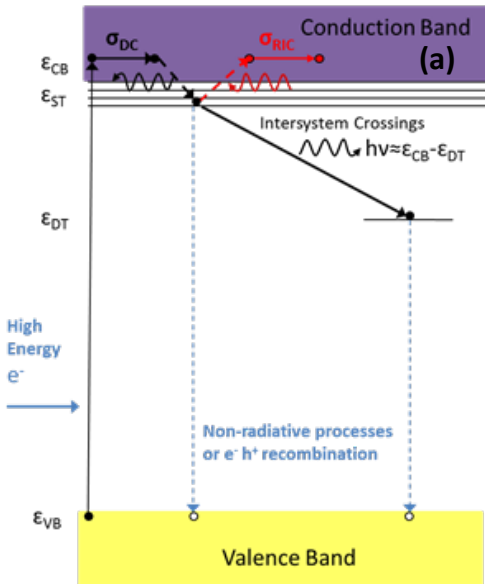
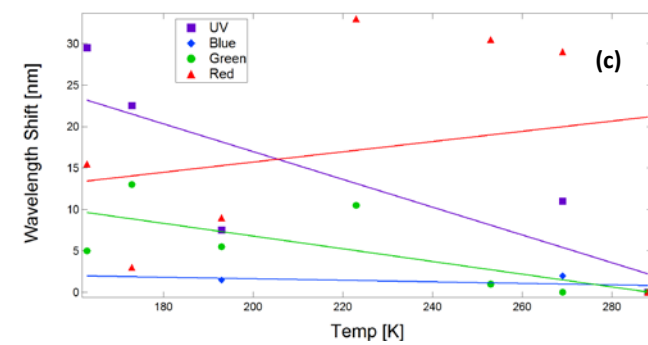
## Spectra vs T



## Peak Intensity vs T



## Wavelength shift vs T



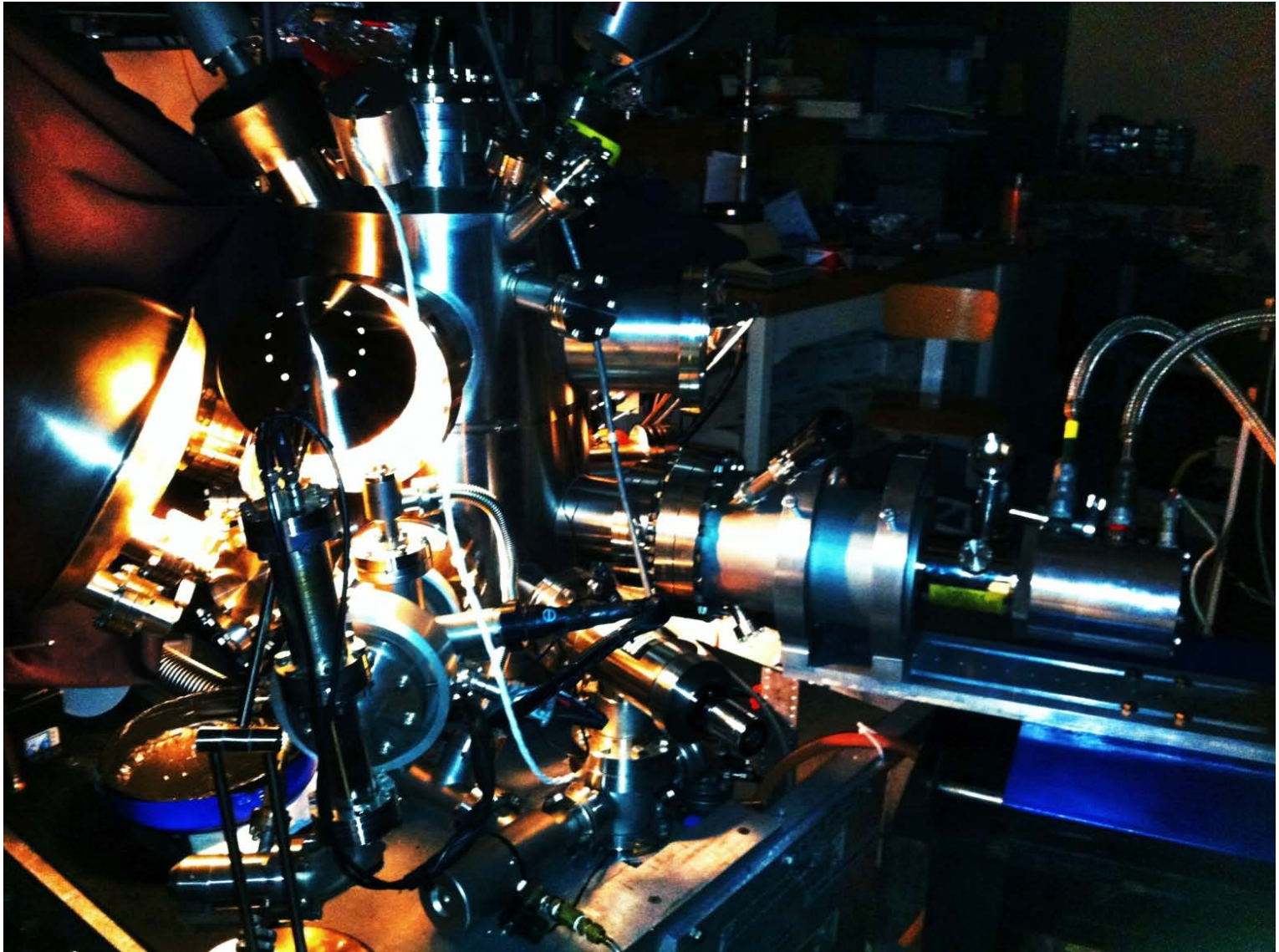


# Conclusions

- **Complex satellites require:**
  - **Complex materials configurations**
  - **More power**
  - **Smaller, more sensitive devices**
  - **More demanding environments**
- **There are numerous clear examples where accurate dynamic charging models require accurate dynamic materials properties**
- **It is not sufficient to use static (BOL or EOL) materials properties**
- **Environment/Materials Modification feedback mechanisms can cause many new problems**
- **Understanding of the microscale structure and transport mechanisms are required to model dynamic materials properties for dynamic spacecraft charging models**



# End with a Bang

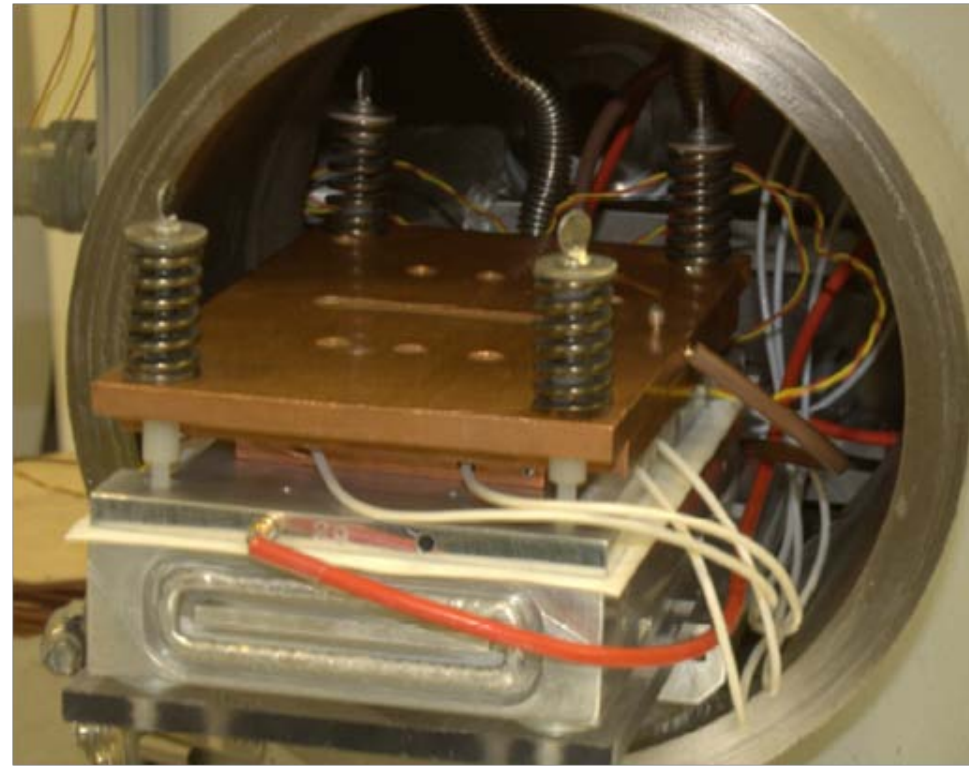
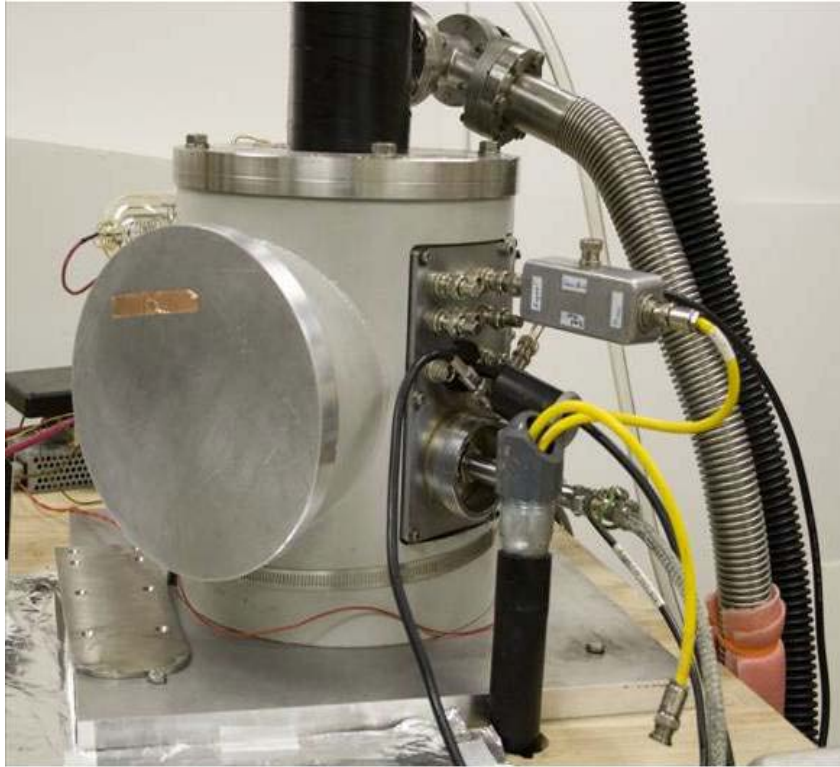


# Supplemental Slides

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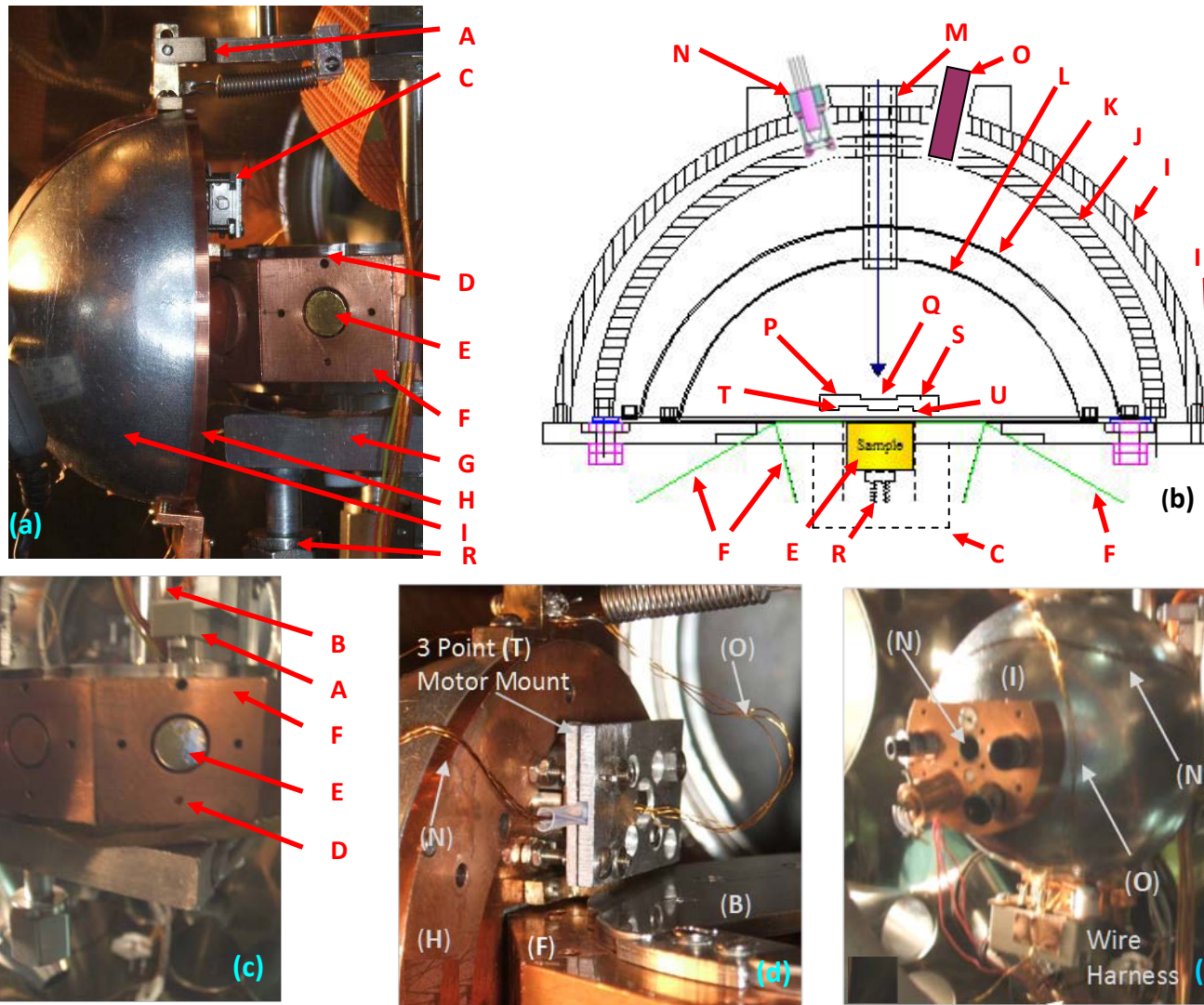
# Instrumentation Overview

# Extremely Low Conductivity



## Constant Voltage Conductivity

- Time evolution of conductivity
- $<10^{-1}$  s to  $>10^6$  s
- $\pm 200$  aA resolution
- $>5 \cdot 10^{22}$   $\Omega$ -cm
- $\sim 100$  K  $<T < 375$  K



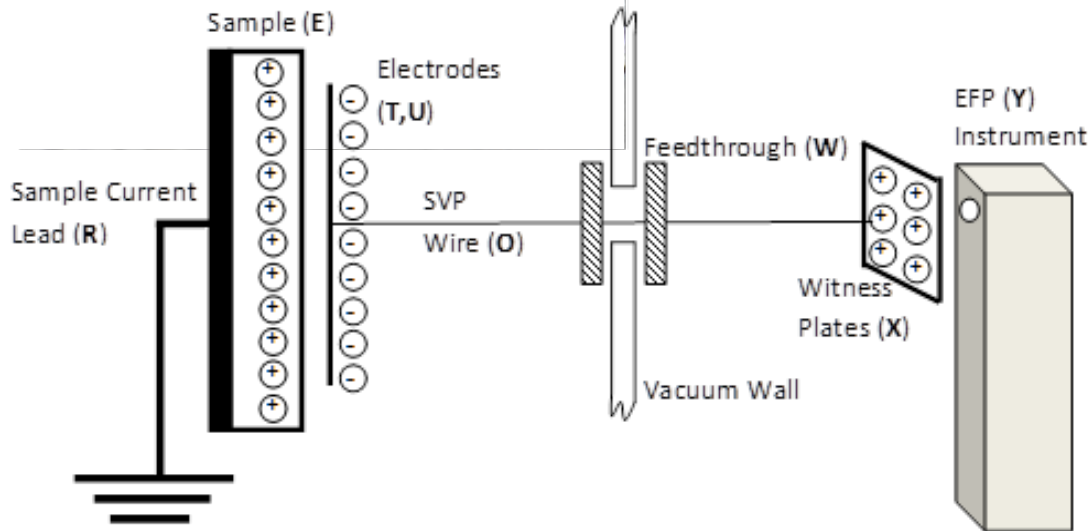
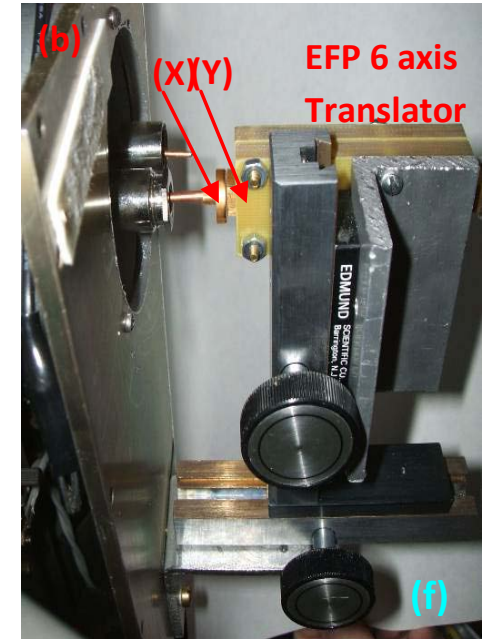
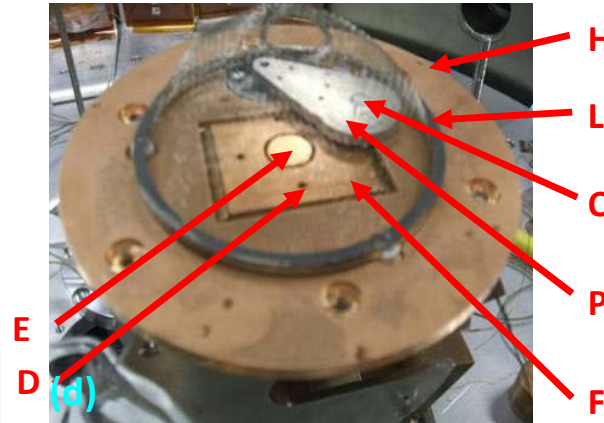
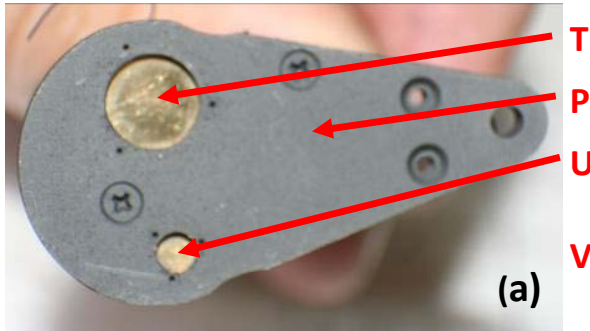
## Hemispherical Grid Retarding Field Analyzer Electron Emission Detector

- **Works with incident:**
  - 20 eV to 30 keV electrons
  - ~100 eV to 5 keV ions
  - ~0.5 eV to 7 eV photons
- **Precision absolute yield**
  - ~1-2% accuracy with conductors
  - ~2-5% accuracy with insulators
  - measures all currents
  - in situ absolute calibration

- **low energy e<sup>-</sup> and UV charge neutralization**
- **in situ surface voltage probe**
- **multiple sample stage**
- **~100 K < T < 400 K**

Fig. 2. Hemispherical Grid Retarding Field Analyzer (HGRFA). (a) Photograph of sample stage and HGRFA detector (side view). (b) Cross section of HGRFA. (c) Photograph of sample stage showing sample and cooling reservoir. (d) Side view of the mounting of the stepper motor. (e) Isometric view of the HGRFA detailing the flood gun, optical ports, and wire harness.

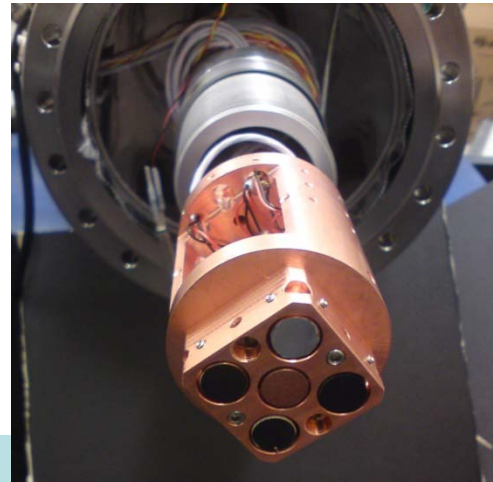
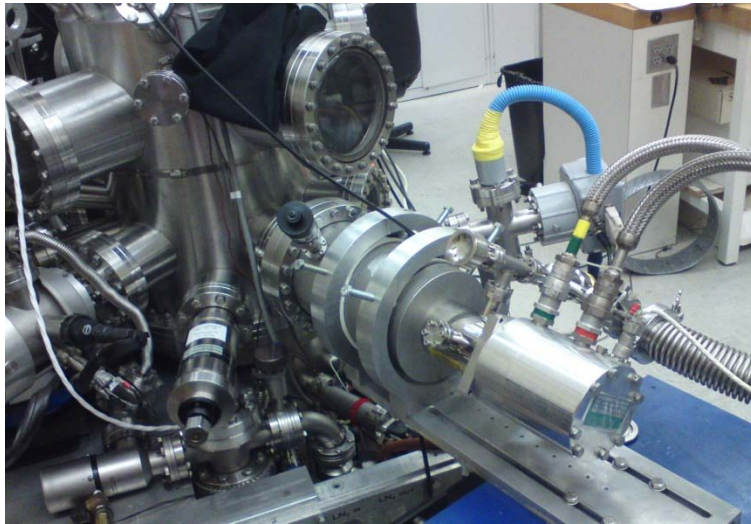
# Surface Voltage Probe



## Surface Voltage Probe

- Inside SEE HGRFA
- ~0.5 V to 15 kV range
- $\pm 0.5$  V resolution
- Arc scan
- ~7 s min scan time

# Low Temperature Cryostat

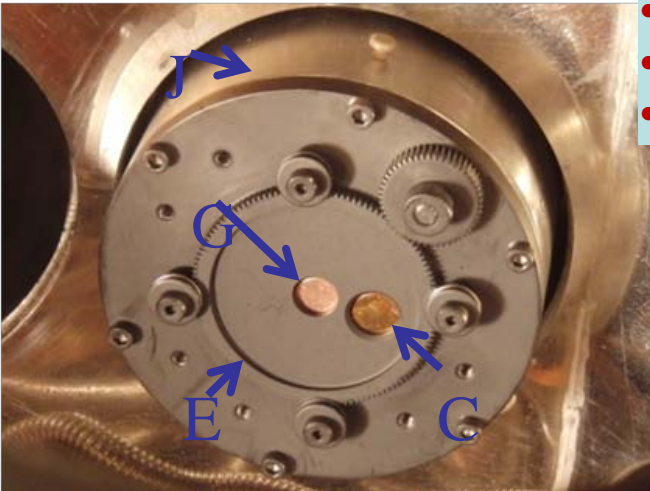
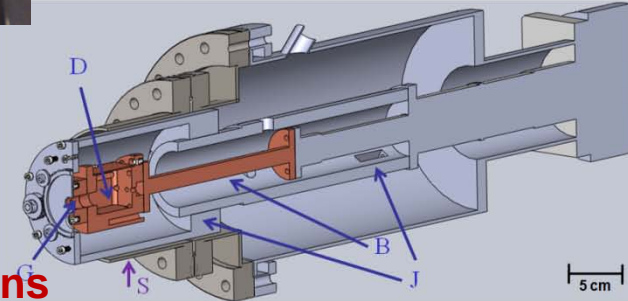


## Used with:

- Constant Voltage Cond.
- RIC
- SEE/BSE
- Cathodoluminescence
- Arcing
- Surface Voltage Probe

## Closed Cycle He Cryostat

- $35\text{ K} < T < 350\text{ K}$
- $\pm 0.5\text{ K}$  for weeks
- Multiple sample configurations



### Radiation Sources

A Electron Gun

### Sample Mount

- B Sample Pedestal
- C Sample
- D Sample Mount
- E Sample Mask Selection Gear
- F Interchangeable Sample Holder
- G *In situ* Faraday Cup
- H Spring-Loaded Electrical Connections
- I Temperature Sensor
- J Radiation Shield

### Analysis Components

- K UV/Vis/NIR Reflectivity Spectrometers
- L CCD Video Camera (400-900 nm)
- M InGaAs Video Camera (800-1200 nm)
- N InSb Video Camera (1000-5000 nm)
- O SLR CCD Camera (300-800 nm)
- P Fiber Optic Discrete Detectors
- Q Collection Optics

### Instrumentation (Not Shown)

- Data Acquisition System
- Temperature Controller
- Electron Gun Controller
- Electrometer
- Oscilloscope

### Chamber Components

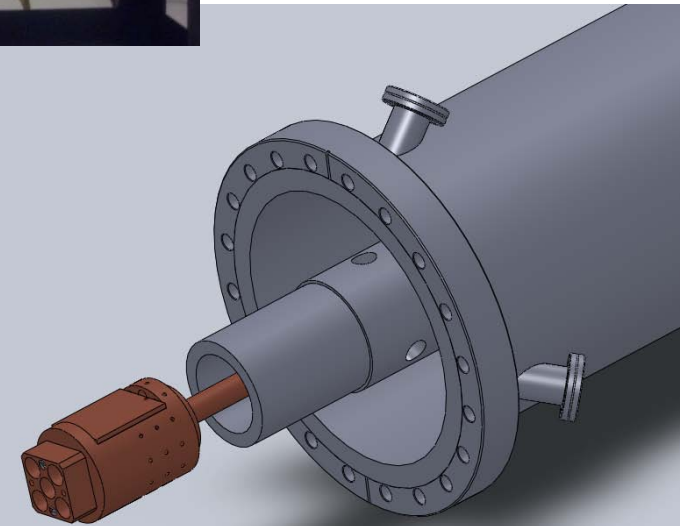
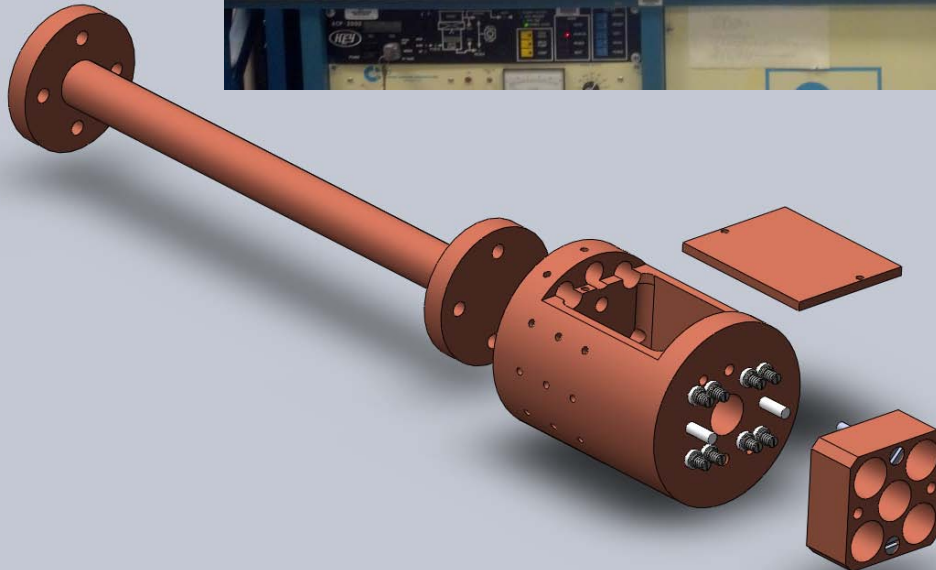
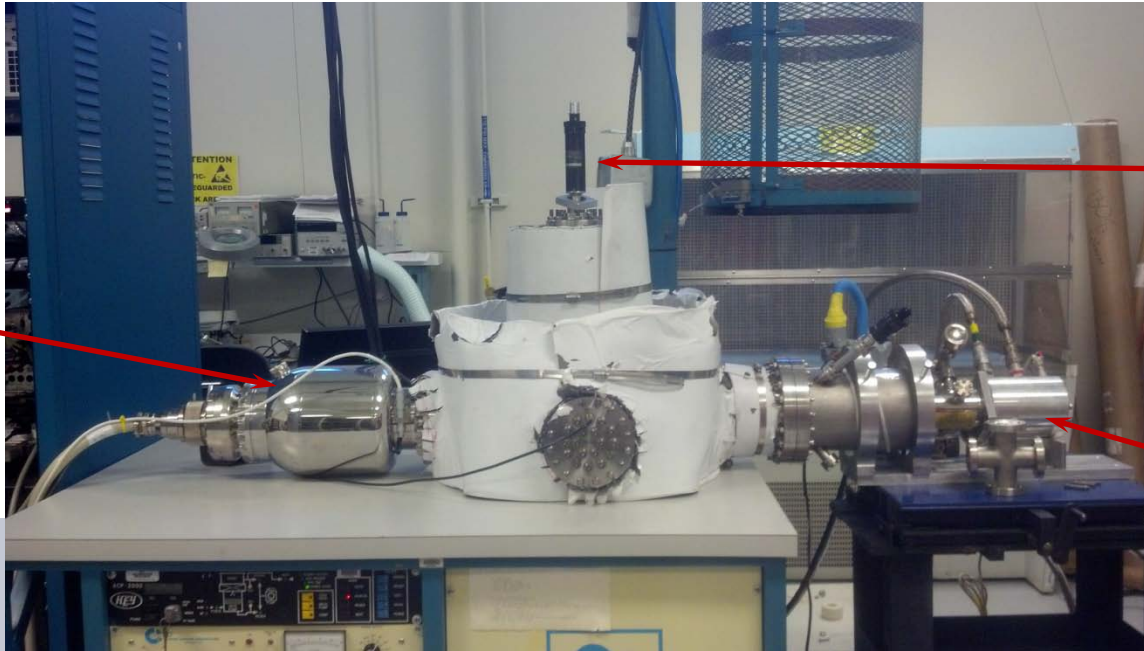
- R Multilayer Thermal Insulation
- S Cryogen Vacuum Feedthrough
- T Electrical Vacuum Feedthrough
- U Sample Rotational Vacuum Feedthrough
- V Turbomolecular/Mech. Vacuum Pump
- W Ion Vacuum Pump
- X Ion/Convectron Gauges – Pressure
- Y Residual Gas Analyzer – Gas Species

# Closed-System Helium Refrigerator Sample Stage Mounting

High Energy Electron Gun

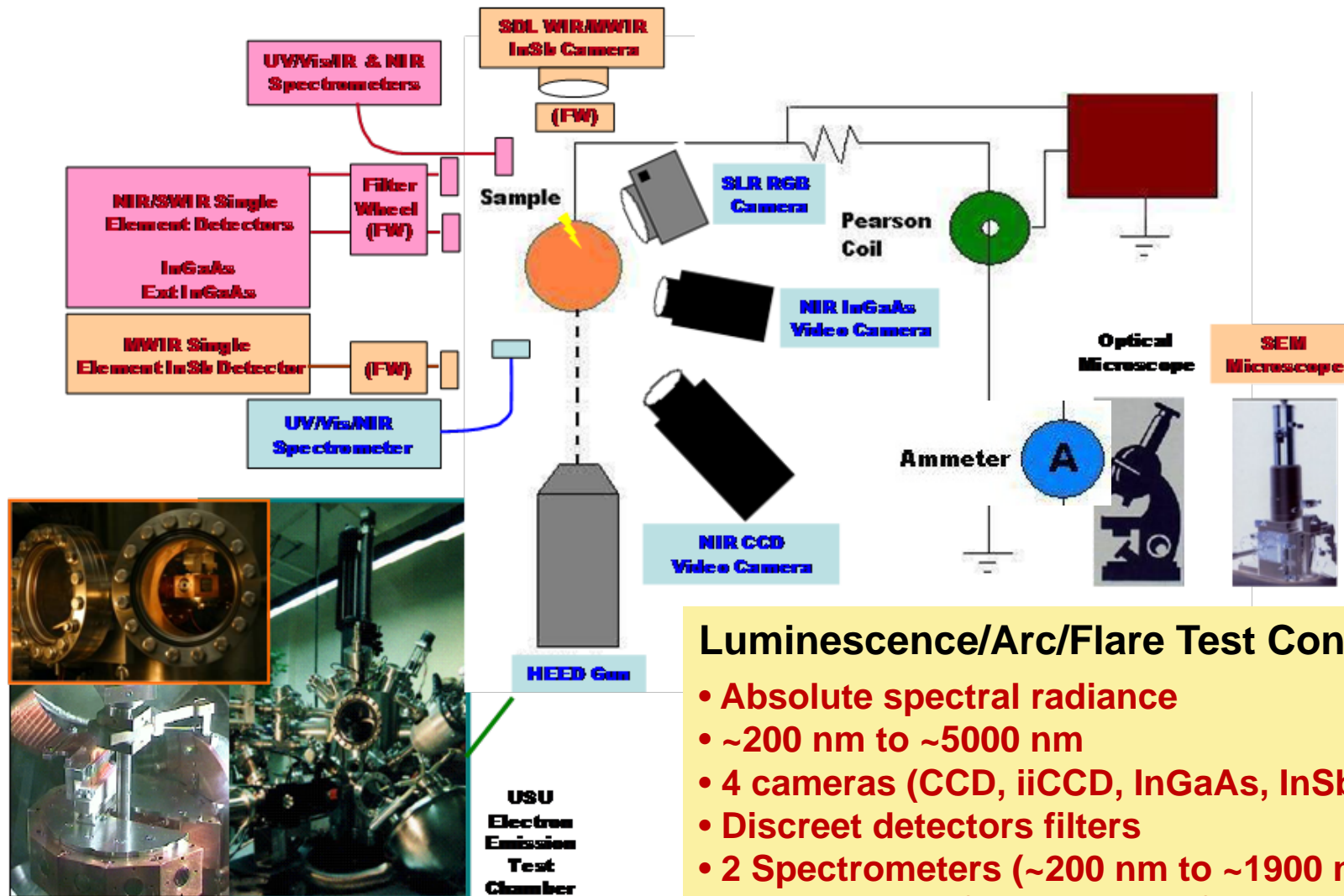
Faraday Cup Z Translation Stage

USU Closed Cycle He Cryostat





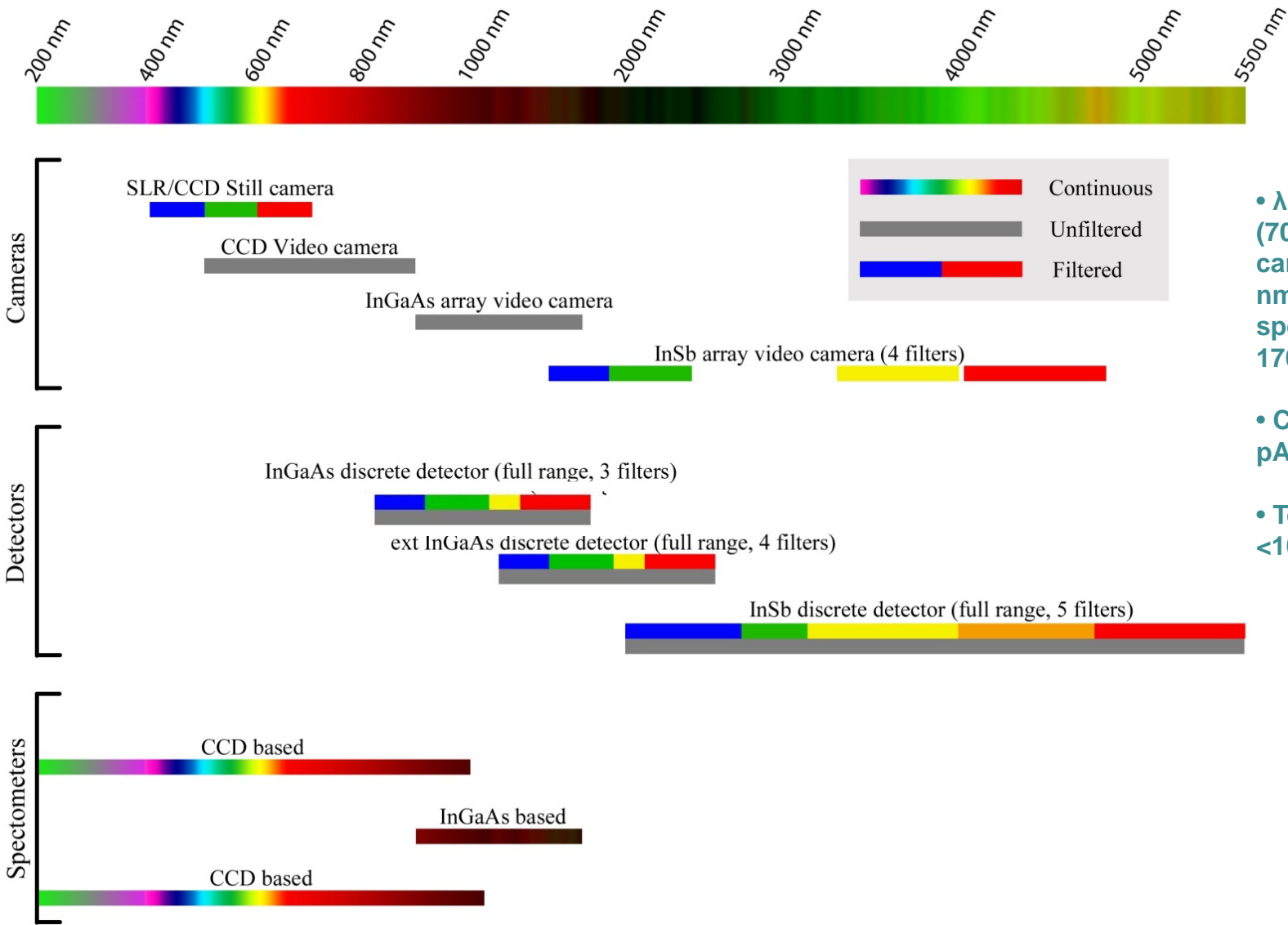
# Photon Emission Measurements



## Luminescence/Arc/Flare Test Configuration

- Absolute spectral radiance
- ~200 nm to ~5000 nm
- 4 cameras (CCD, iiCCD, InGaAs, InSb)
- Discreet detectors filters
- 2 Spectrometers (~200 nm to ~1900 nm)
- $e^-$  at  $\sim 1 \text{ pA/cm}^2$  to  $\sim 10 \mu\text{A/cm}^2$  &  $\sim 20 \text{ eV}$  to  $30 \text{ keV}$
- $35 \text{ K} < T < 350 \text{ K}$
- Multiple sample configurations to  $\sim 10 \times 10 \text{ cm}$

# Luminescence/Arc/Flare Test Configuration

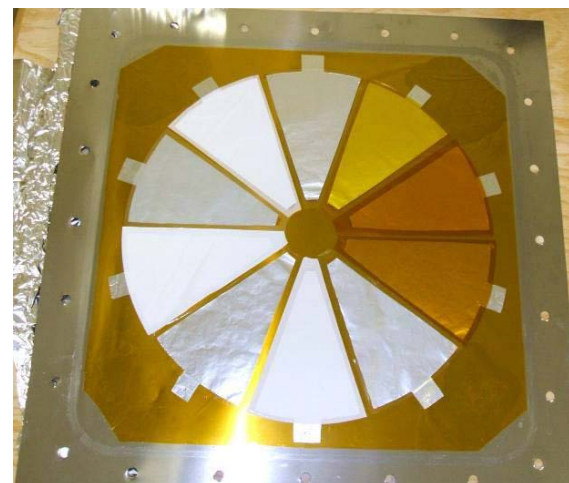
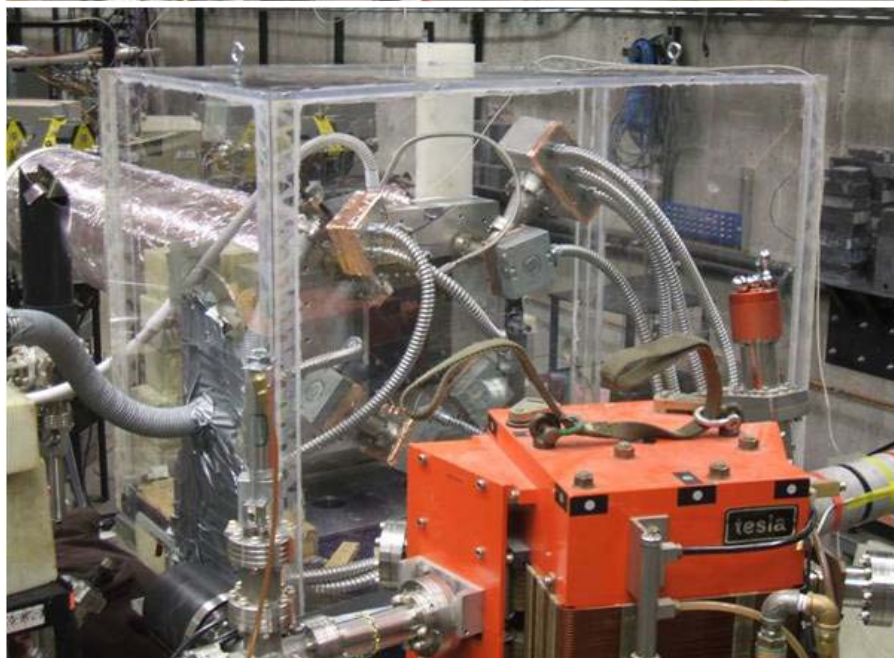
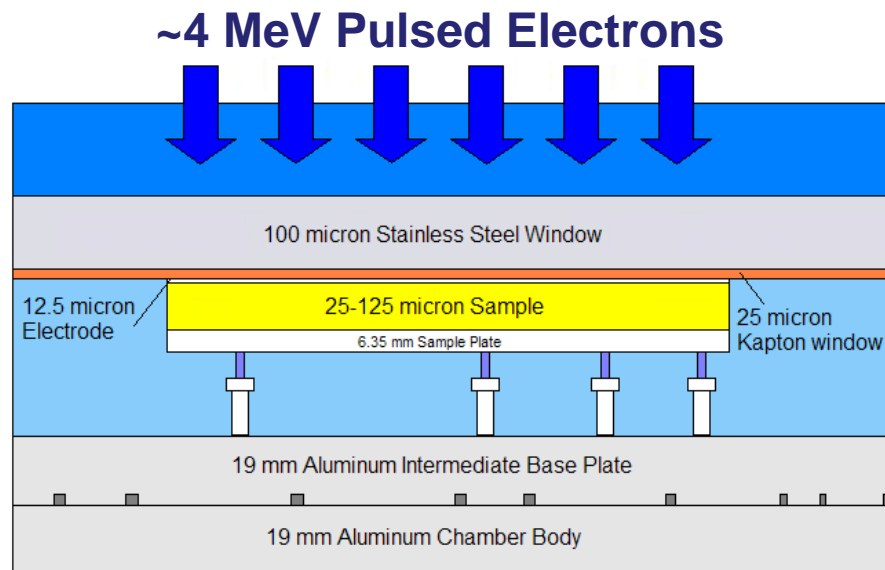


- $\lambda$  range: detectors (700-5500 nm), cameras (400-5000 nm), and spectrometers (200-1700 nm)

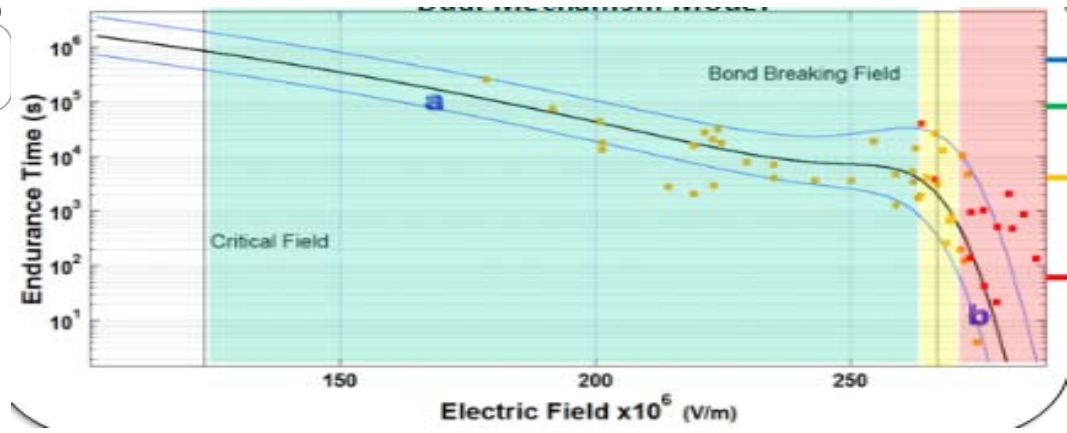
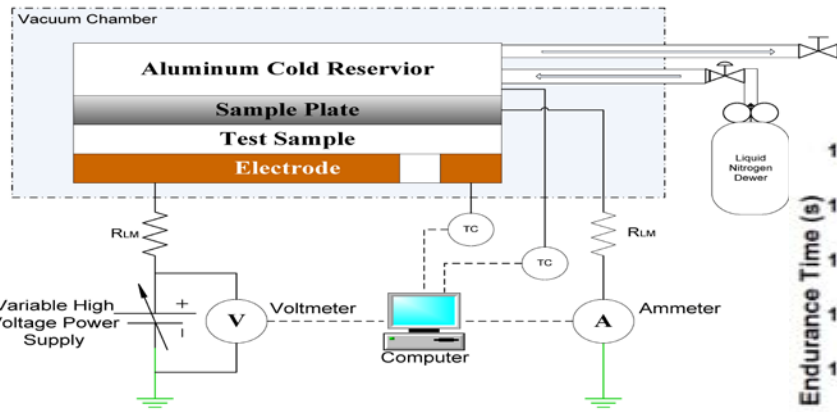
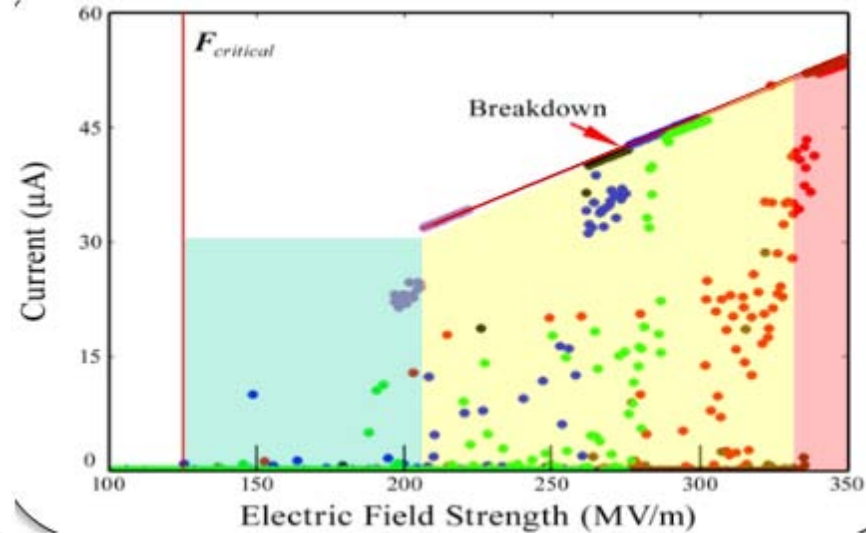
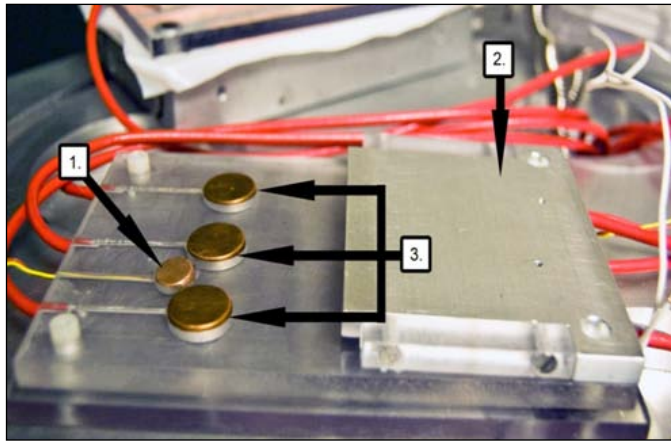
- Current range: (0.1 pA to 1 mA)

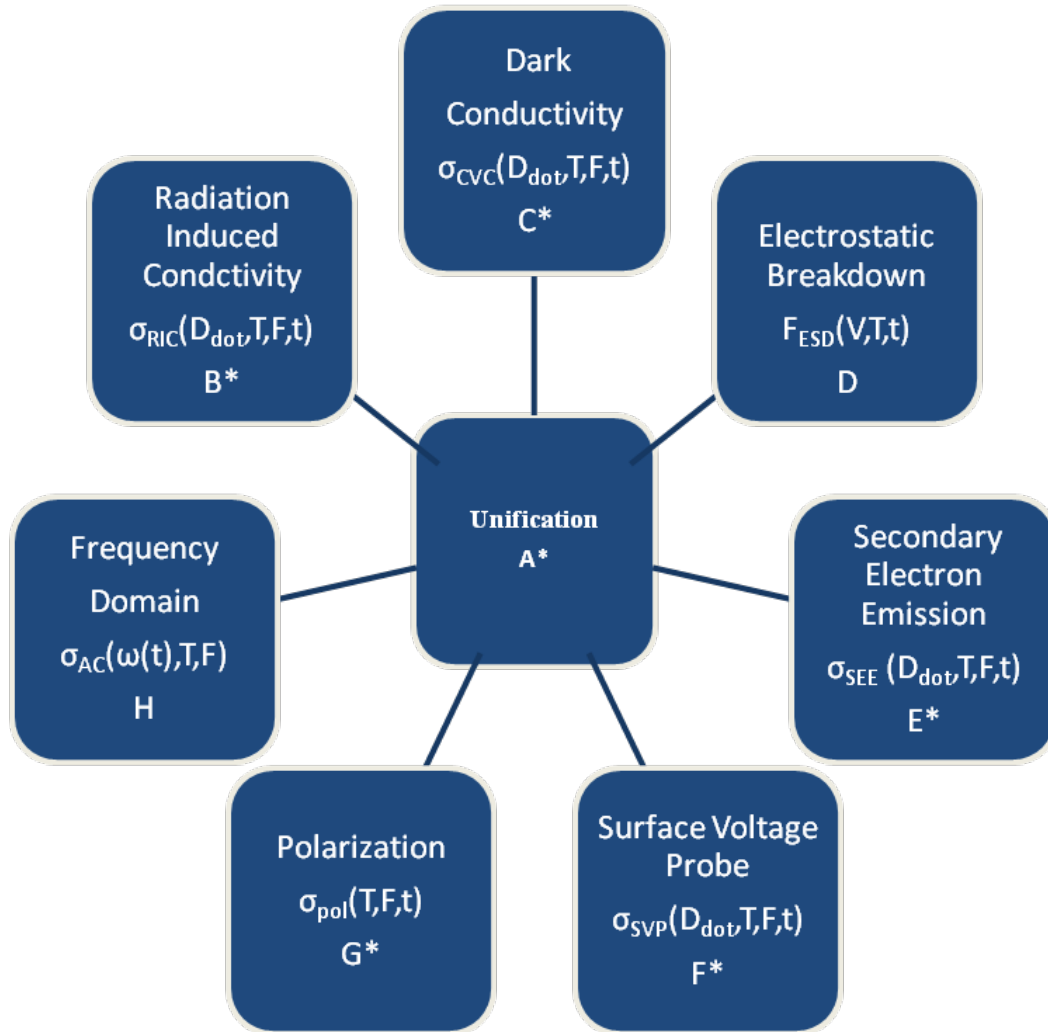
- Temporal range:  $<10^{-9}$  s to  $>10^4$  s

# Radiation Induced Conductivity



# Electrostatic Breakdown





## Complete set of dynamic transport equations

$$J = q_e n_e(z, t) \mu_e F(z, t) + q_e D \frac{dn_{tot}(z, t)}{dz}$$

$$\frac{\partial}{\partial z} F(z, t) = q_e n_{tot} / \epsilon_0 \epsilon_r$$

$$\frac{\partial n_{tot}(z, t)}{\partial t} - \mu_e \frac{\partial}{\partial z} [n_e(z, t) F(z, t)] - q_e D \frac{\partial^2 n_e(z, t)}{\partial z^2} = N_{ex} -$$

$$\alpha_{er} n_e(z, t) n_{tot}(z, t) + \alpha_{et} n_e(t) [N_t(z) - n_t(z, t)]$$

$$\frac{dn_h(z, t)}{dt} = N_{ex} - \alpha_{er} n_e(z, t) n_h(z, t)$$

$$\frac{dn_t(z, \epsilon, t)}{dt} = \alpha_{et} n_e(z, t) [N_t(z, \epsilon) - n_t(z, \epsilon, t)] -$$

$$\alpha_{te} N_e \exp\left[-\frac{\epsilon}{kT}\right] n_t(z, \epsilon, t)$$

## A quantum mechanical model of the spatial and energy distribution of the electron states

